

딥러닝 스터디

C4 W4 L04 ~ L11

이승목

2020.10.20.

목차



삼중항 손실 (Triplet loss)

업데이트 : 2020.07.16 | ♥ 3



얼굴 검증 및 이진 분류

업데이트 : 2020.07.16 | ♥ 3

신경망 스타일 변형 (Neural Style Transfer)



신경망 스타일 변형이란?

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CNN 이 학습하고 있는 것은 무엇일까요?

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비용함수

업데이트 : 2020.07.16 | ♥ 2



내용(Content) 비용함수

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스타일(Style) 비용함수

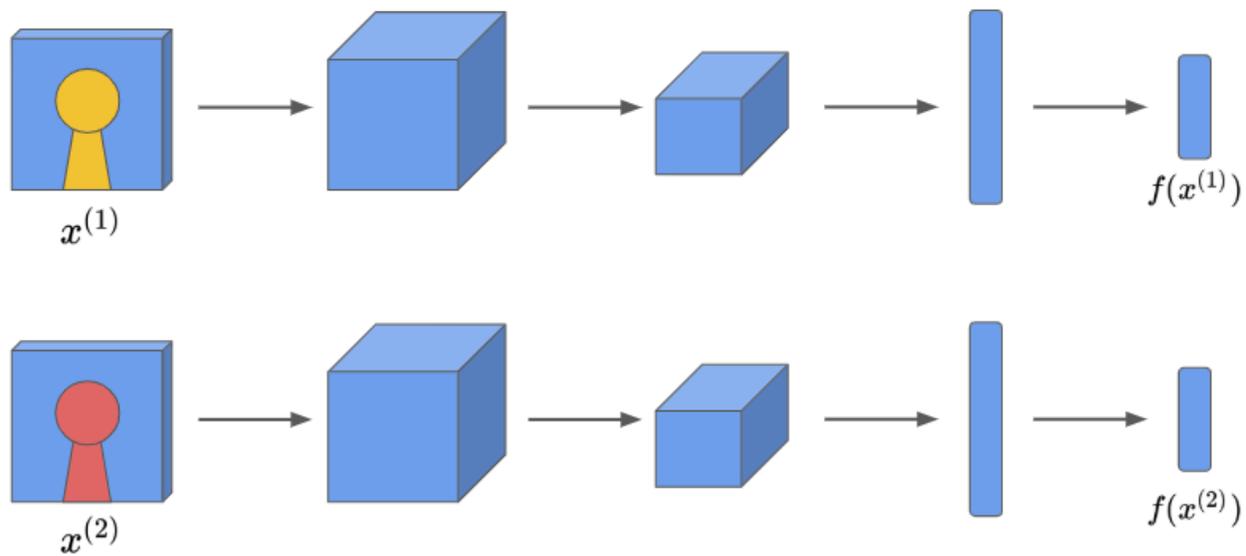
업데이트 : 2020.07.16 | ♥ 3



1D 와 3D 로의 일반화

업데이트 : 2020.08.18 | ♥ 1

얼굴 인식 - 삼 네트워크



$$d(x^{(1)}, x^{(2)}) = \|f(x^{(1)}) - f(x^{(2)})\|_2^2$$

얼굴인식 – Triplet loss



Anchor

Positive

Anchor

Negative

Want: $\underbrace{\|f(A) - f(P)\|^2}_{d(A,P)} + \alpha \leq \dots$

$d(A,P) = 0.5 \rightarrow 0.2$

$\underbrace{\|f(A) - f(N)\|^2}_{d(A,N)}$

$d(A,N) = 0.5 \rightarrow 0.7$

$$\underbrace{\|f(A) - f(P)\|^2}_0 - \underbrace{\|f(A) - f(N)\|^2}_0 + \alpha \leq 0 \quad \alpha/\alpha \quad f(\text{img}) = \vec{0}$$

margin

[Schroff et al., 2015, FaceNet: A unified embedding for face recognition and clustering]

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얼굴인식 – Triplet loss

Given 3 images A, P, N :

$$\mathcal{L}(A, P, N) = \max(\underbrace{\|f(A) - f(P)\|^2 - \|f(A) - f(N)\|^2 + \alpha}_{\geq 0}, 0)$$

$$J = \sum_{i=1}^m \mathcal{L}(A^{(i)}, P^{(i)}, N^{(i)})$$

A, P

Training set: 10k pictures of 1k persons

얼굴인식 – Triplet loss choosing data

During training, if A,P,N are chosen randomly,
 $d(A, P) + \alpha \leq d(A, N)$ is easily satisfied.

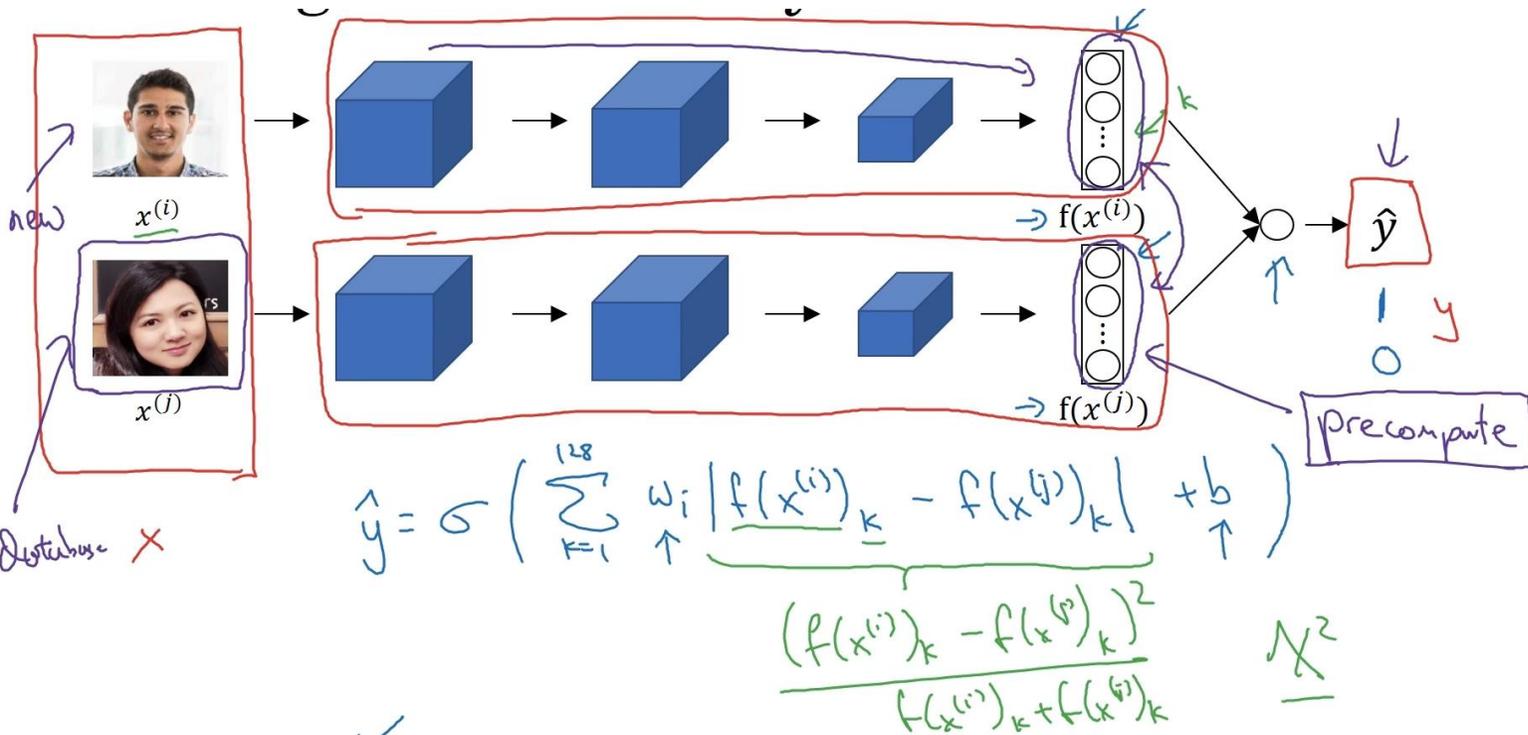
$$\underline{\|f(A) - f(P)\|^2} + \alpha \leq \underline{\|f(A) - f(N)\|^2}$$

Choose triplets that're "hard" to train on.

$$\begin{array}{ccc} \textcircled{d(A, P)} + \alpha & \leq & \textcircled{d(A, N)} \\ \underline{d(A, P)} & \approx & \underline{d(A, N)} \\ \downarrow & & \uparrow \end{array}$$

[Schroff et al., 2015, FaceNet: A unified embedding for face recognition and clustering]

얼굴인식 - 지도학습으로 얼굴인식

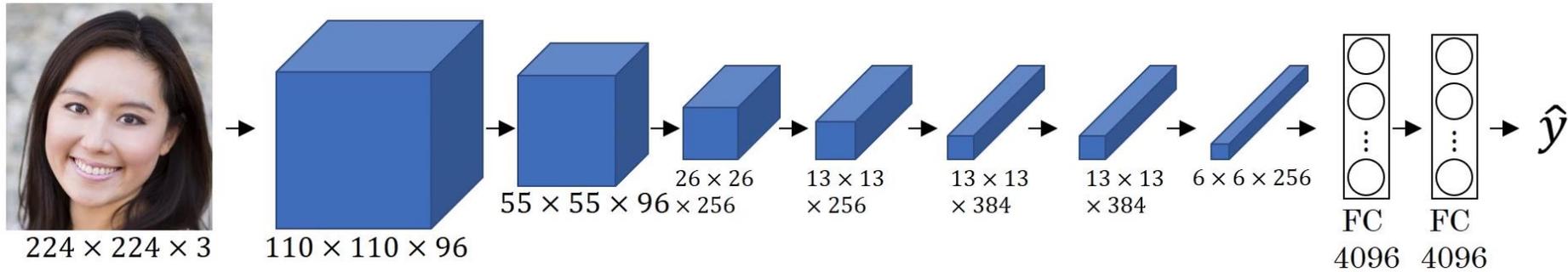


$$\hat{y} = \sigma \left(\sum_{k=1}^{128} \omega_k \frac{(f(x^{(i)})_k - f(x^{(j)})_k)^2}{f(x^{(i)})_k + f(x^{(j)})_k} + b \right)$$

$\frac{(f(x^{(i)})_k - f(x^{(j)})_k)^2}{f(x^{(i)})_k + f(x^{(j)})_k}$ $\frac{1}{2} \chi^2$

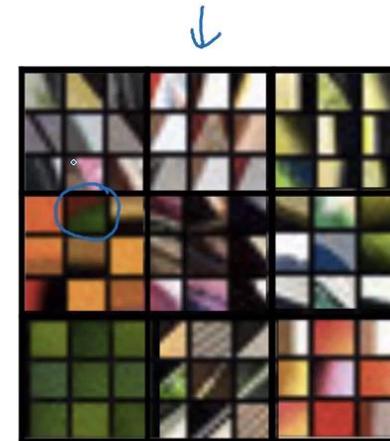
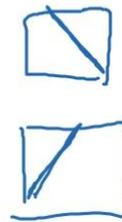
x		y
		1
		0

CNN이 하는 일 - 시각화



Pick a unit in layer 1. Find the nine image patches that maximize the unit's activation.

Repeat for other units.



Visualizing and understanding convolutional networks라는

[Zeiler and Fergus., 2013, Visualizing and understanding convolutional networks]

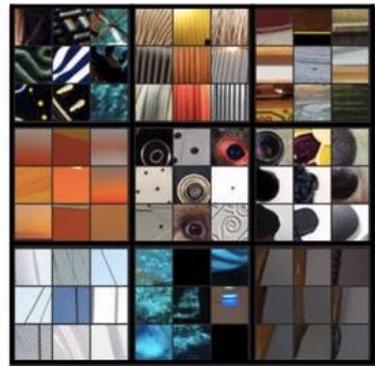
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CNN이 하는 일 - 시각화

- 한 유닛은 비슷한 종류의 이미지에 대해 잘 활성화 된다.
- 높은 층일 수록 더 복잡한 feature를 잡아낸다.



Layer 1



Layer 2



Layer 3



Layer 4



Layer 5

스타일 전이



Content C



Style S



Generated image G ←

$$\mathcal{J}(G) = \alpha \mathcal{J}_{\text{content}}(C, G) + \beta \mathcal{J}_{\text{style}}(S, G)$$

스타일 전이

1. Initiate G randomly

$$G: \underline{100} \times \underline{100} \times \underline{3}$$

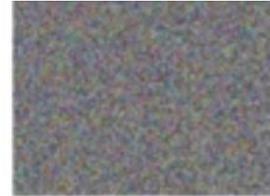
↑
RGB

2. Use gradient descent to minimize $J(G)$

$$G := G - \frac{d}{2G} J(G)$$



Initial



First iter.



Second iter.



Final output



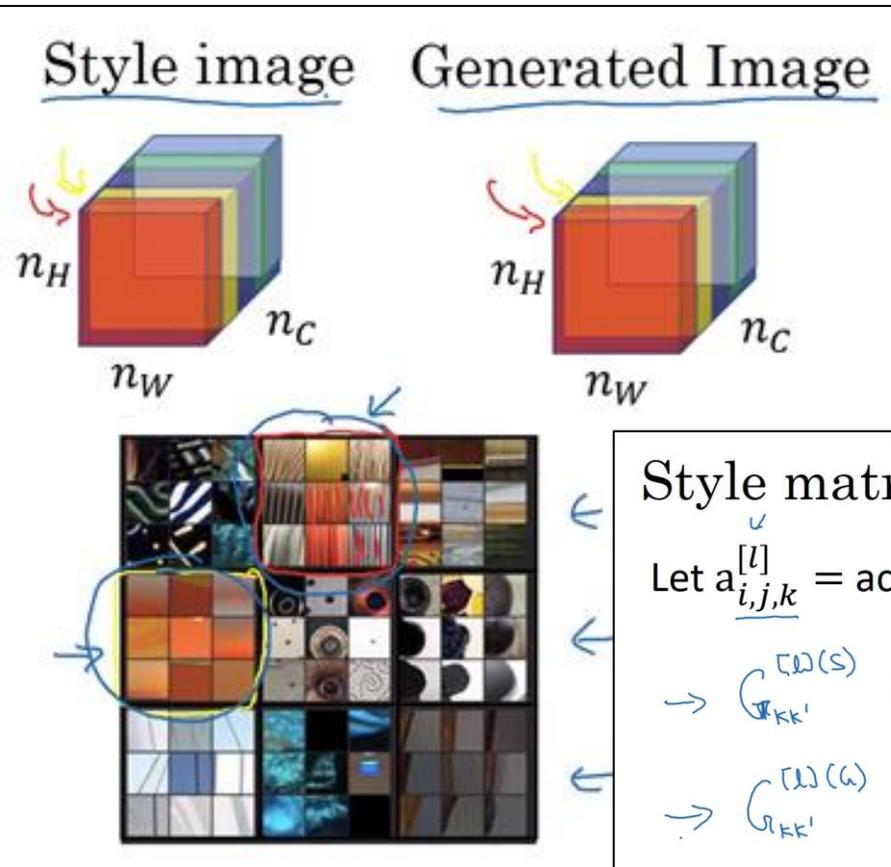
스타일 전이 – content cost

$$\underline{J(G)} = \alpha \underline{J_{content}(C, G)} + \beta J_{style}(S, G)$$

- Say you use hidden layer l to compute content cost.
- Use pre-trained ConvNet. (E.g., VGG network)
- Let $\underline{a^{[l](C)}}$ and $\underline{a^{[l](G)}}$ be the activation of layer l on the images
- If $a^{[l](C)}$ and $a^{[l](G)}$ are similar, both images have similar content

$$J_{content}(C, G) = \frac{1}{2} \underbrace{\| \overset{\downarrow a^{[l](C)}}{a} - \overset{\downarrow a^{[l](G)}}{a} \|^2}$$

스타일 전이 – style cost



$$J_{\text{style}}^{[l]}(S, G) = \frac{1}{b} \|G^{[l]}(S) - G^{[l]}(G)\|_F^2$$

$$= \frac{1}{(2n_H^{[l]}n_W^{[l]}n_C^{[l]})^2} \sum_k \sum_{k'} (G_{kk'}^{[l]}(S) - G_{kk'}^{[l]}(G))^2$$

$$J_{\text{style}}(S, G) = \sum_l \lambda^{[l]} J_{\text{style}}^{[l]}(S, G)$$

Style matrix

Let $a_{i,j,k}^{[l]}$ = activation at (i, j, k) . $G^{[l]}(S)$ is $\frac{n_C^{[l]}}{2} \times \frac{n_C^{[l]}}{2}$

$$\rightarrow G_{kk'}^{[l]}(S) = \sum_{i=1}^{\frac{n_H^{[l]}}{2}} \sum_{j=1}^{\frac{n_W^{[l]}}{2}} a_{ijk}^{[l]} a_{ijk'}^{[l]}$$

$$\rightarrow G_{kk'}^{[l]}(G) = \sum_{i=1}^{\frac{n_H^{[l]}}{2}} \sum_{j=1}^{\frac{n_W^{[l]}}{2}} a_{ijk}^{[l]} a_{ijk'}^{[l]}$$

1D와 3D에서 CNN

