

Muon Scintillator Time Calibration Study 3

2019.11.29

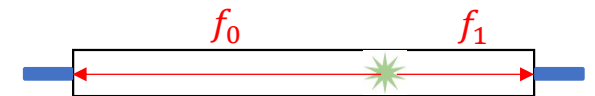
Seungmok Lee

Time Calibration Study – Summary

- Last time I observed

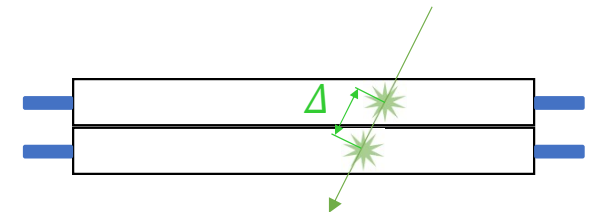
- i) $f_1 - f_0$: Distribution of signal flight time difference to both sides in a scintillator.

It had no dependency on its direction.



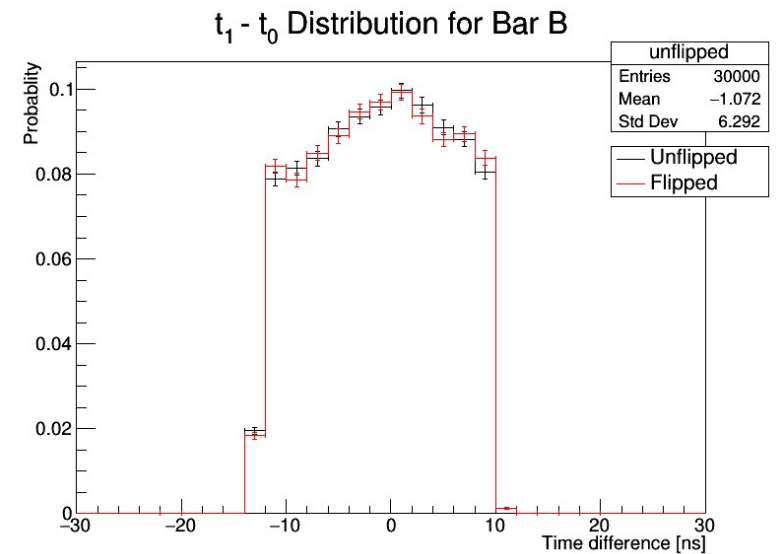
- ii) Δ : Event occurring time difference between two adjoining scintillators.

Muon velocity was measured as $v = (0.978 \pm 0.608) c$.



Time Calibration Study – Problem

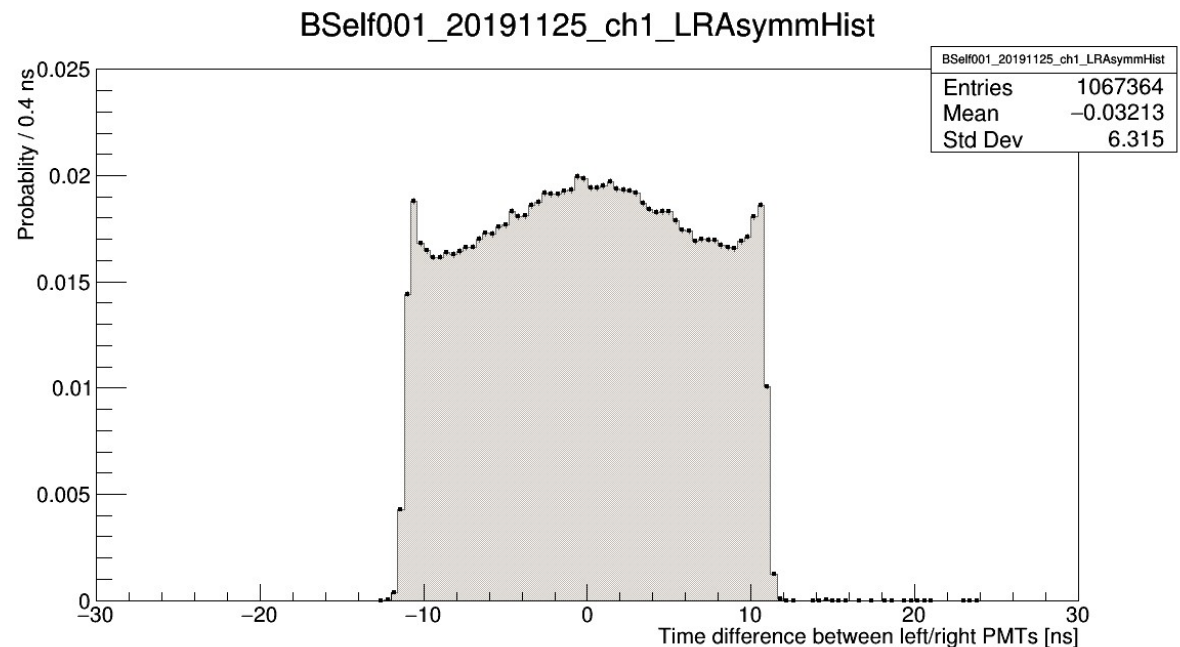
- Last time I observed
 - i) $f_1 - f_0$ Distribution showed asymmetric behavior.
 - ii) v_μ had too large error.
 $v_\mu = (0.978 \pm 0.608) c$.



$f_1 - f_0$ Distribution Asymmetry

- With more data (~1M), the asymmetry vanished.
- However, it was not flat at all. There are inclines at both ends.

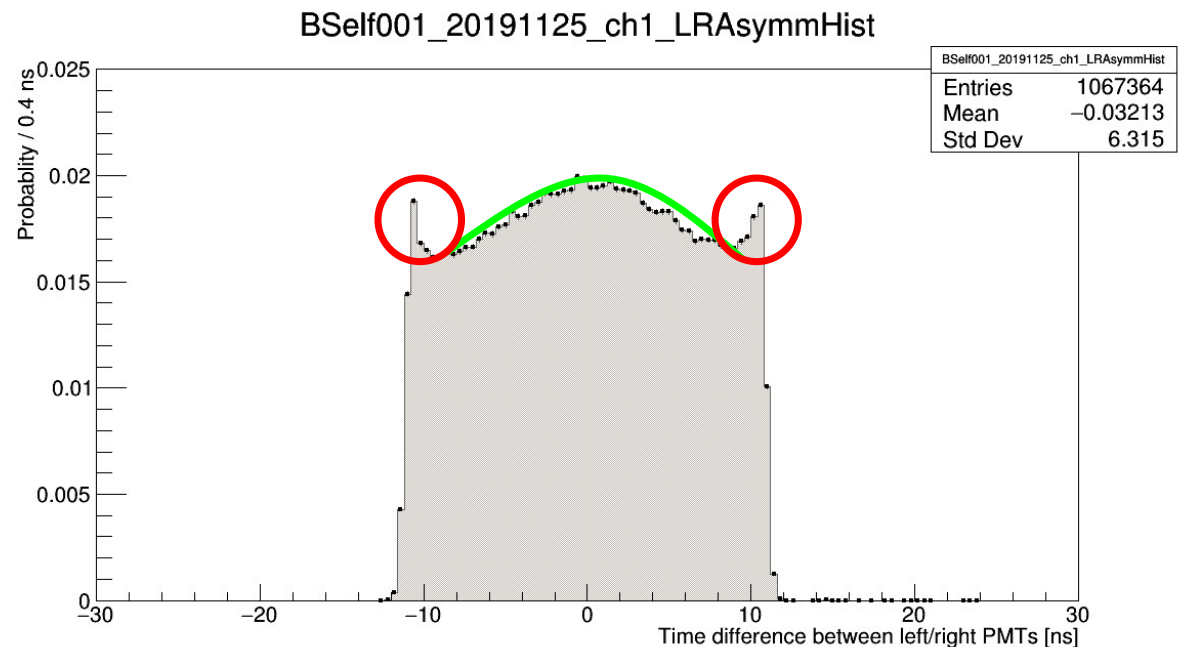
- Plastic B bar only.
- No coincidence trigger.
- Port number 4
- Data number: 1,067,364
- THR: 200 ADC
- 2019.11.25 night ~ 11.26 morning



$f_1 - f_0$ Distribution Asymmetry

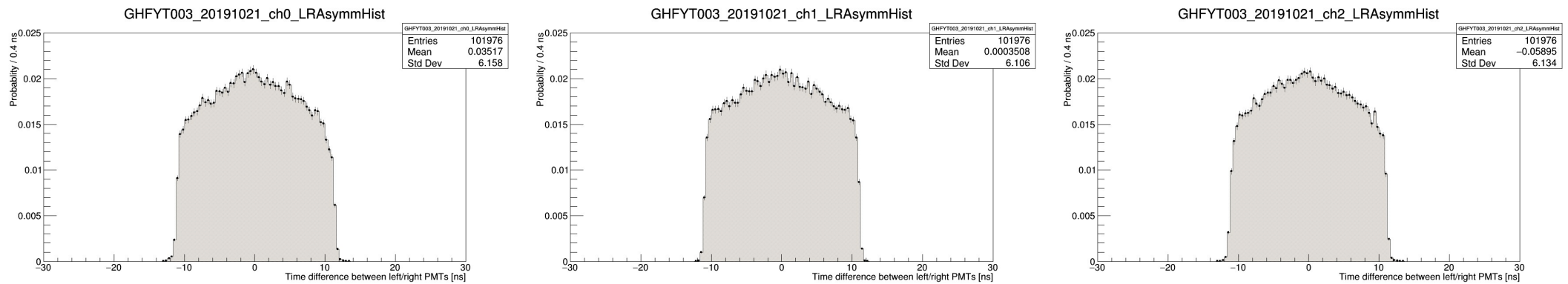
- With more data (~1M), the asymmetry vanished.
- However, it was not flat at all. There are small hills at both ends.

- Plastic B bar only.
- No coincidence trigger.
- Port number 4
- Data number: 1,067,364
- THR: 200 ADC
- 2019.11.25 night ~ 11.26 morning



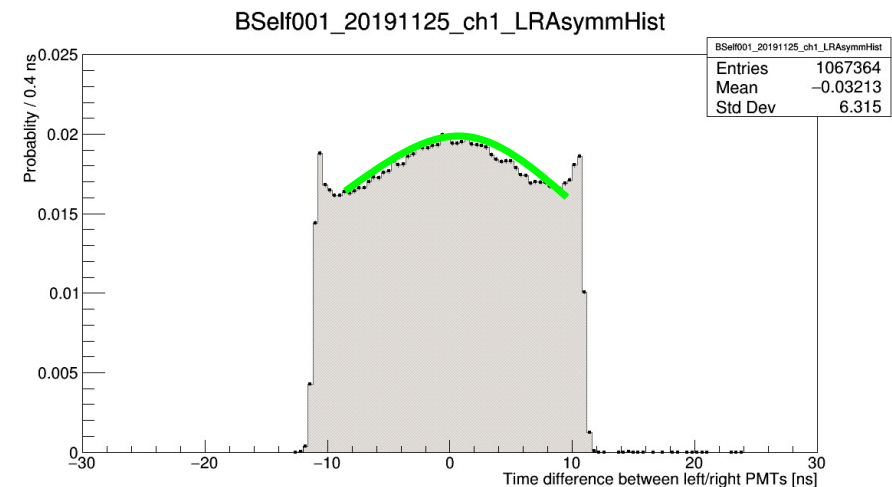
$f_1 - f_0$ Distribution

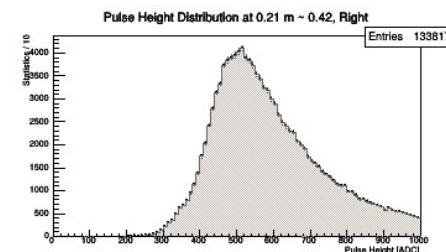
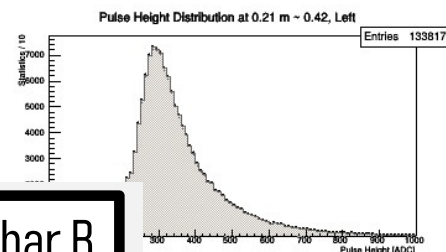
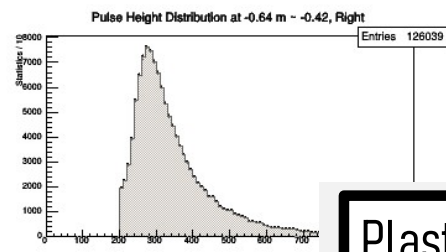
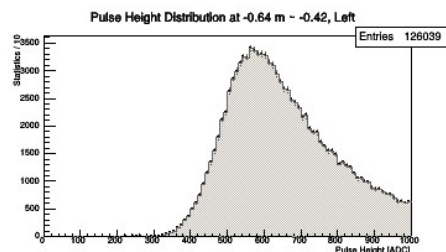
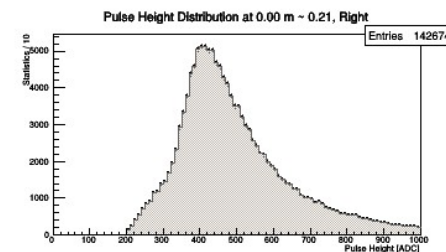
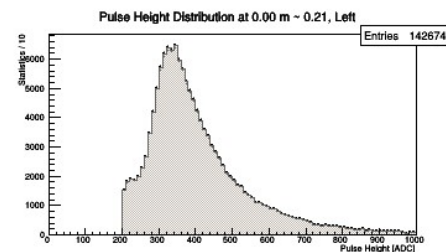
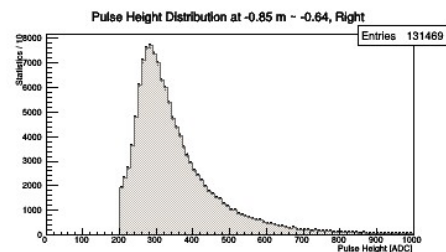
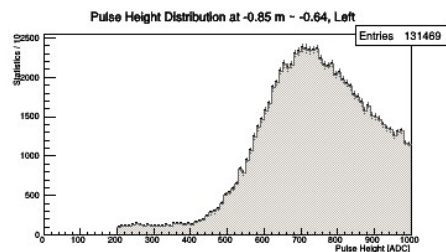
- Other data (with coincidence condition) also showed un-flat behavior.



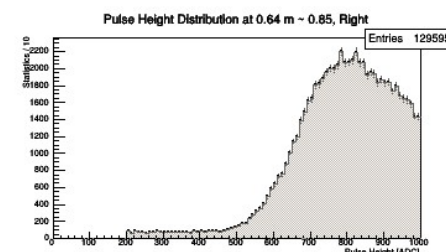
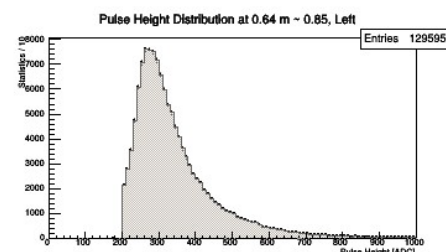
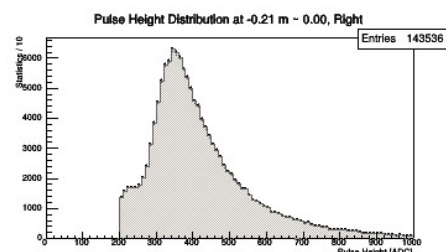
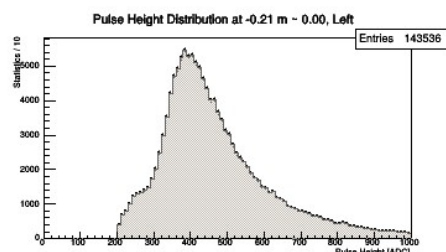
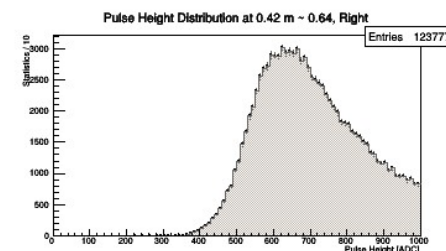
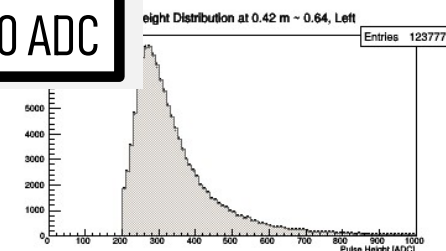
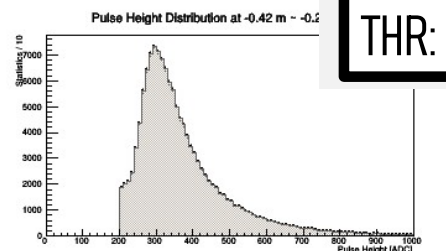
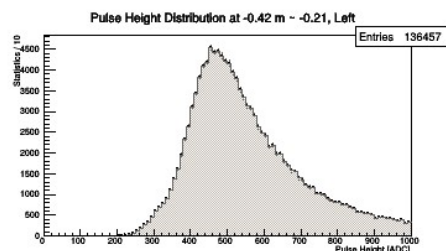
$f_1 - f_0$ Distribution – Unflatness

- For B bar, the shape in $f_1 - f_0$ distribution seems due to its threshold and attenuation of the signal intensity.
- If a muon hits near on PMT, then its signal to the other side PMT is attenuated, so some of the events are being missed.



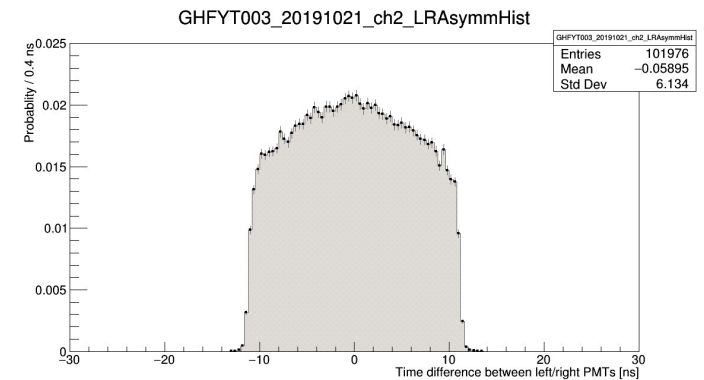
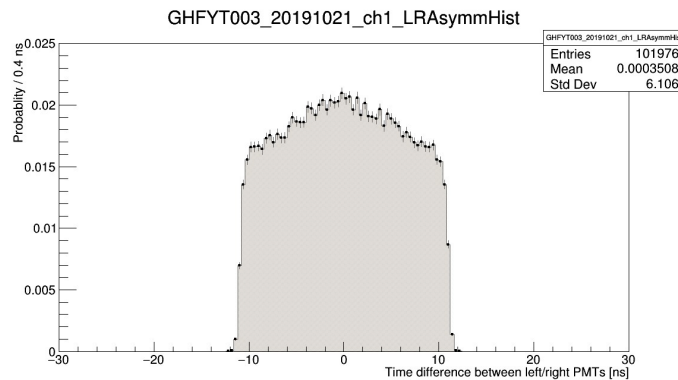
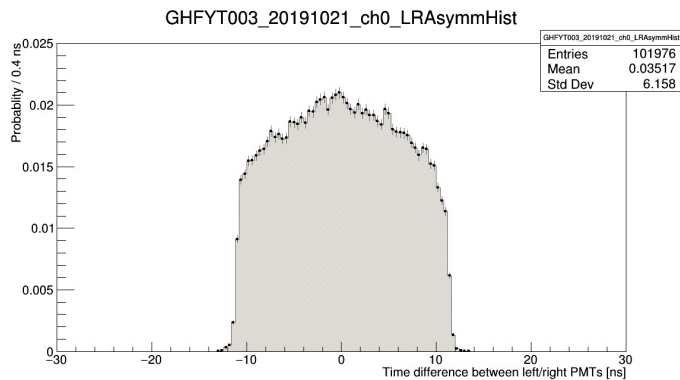


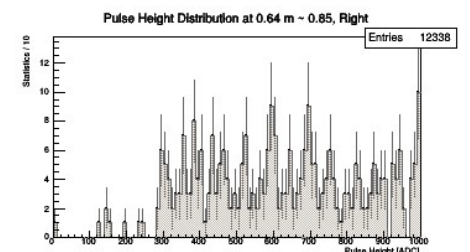
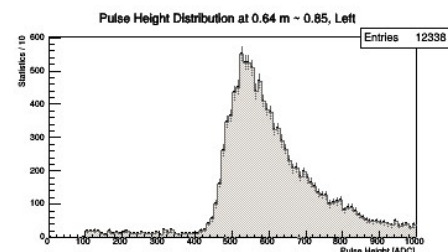
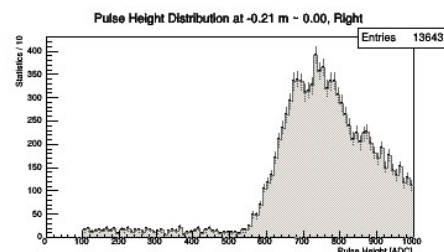
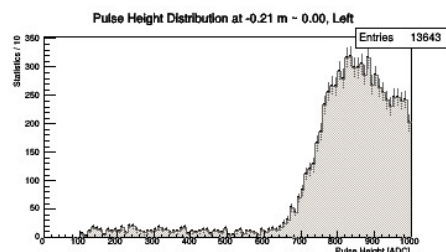
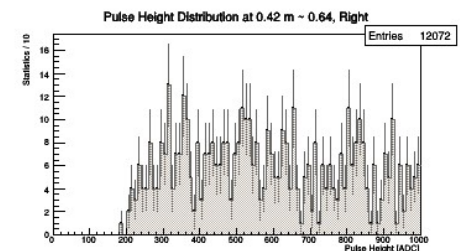
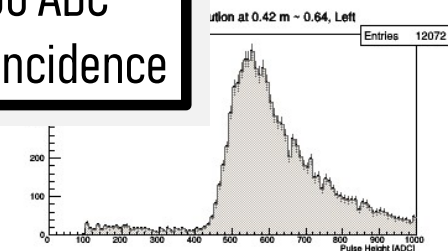
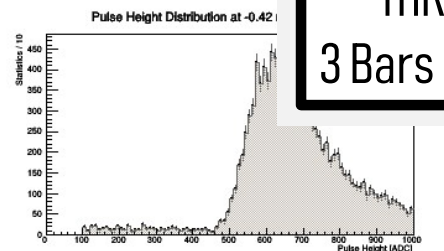
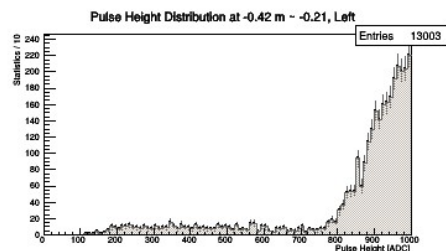
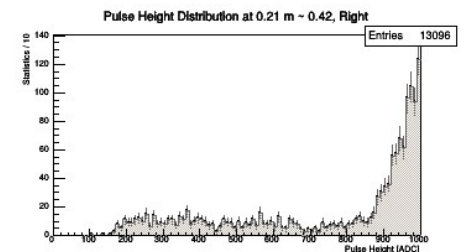
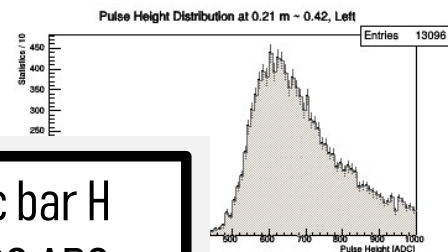
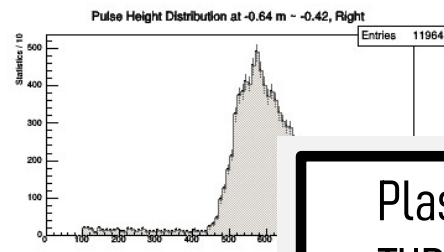
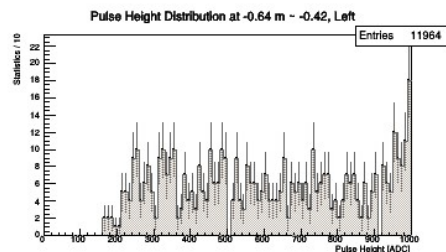
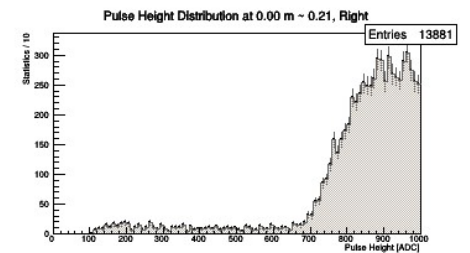
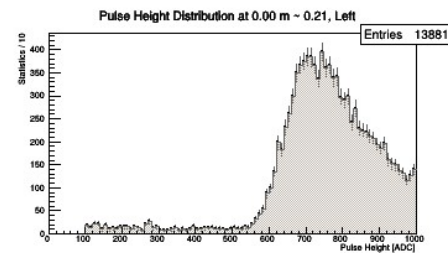
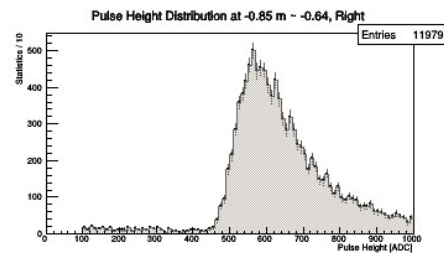
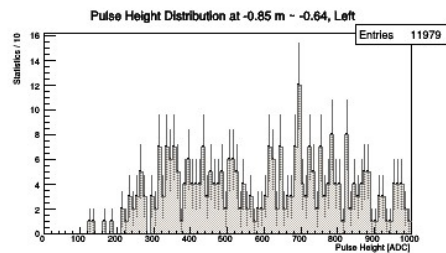
Plastic bar B
THR: 200 ADC



$f_1 - f_0$ Distribution – Unflatness

- But it is not for 3 bars data.
- The threshold for this experiment is not enough to explain its shape.

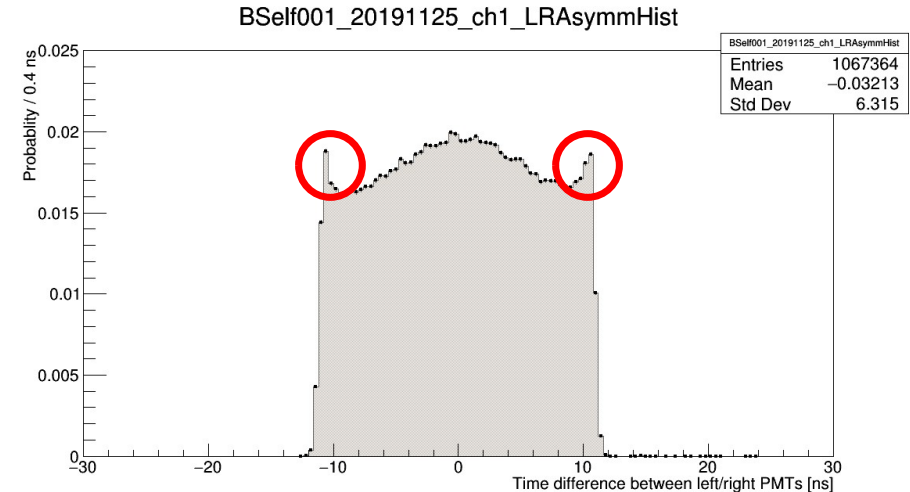


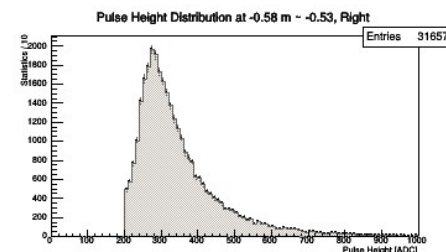
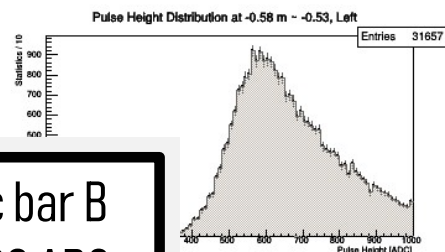
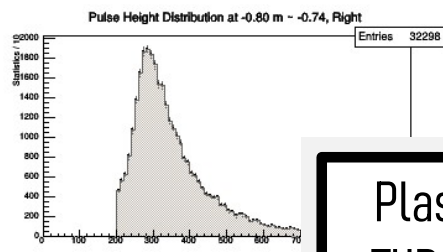
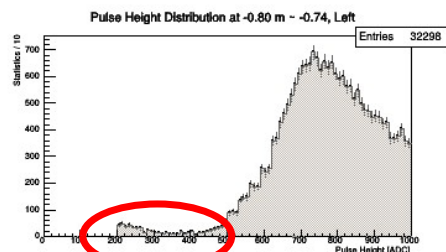
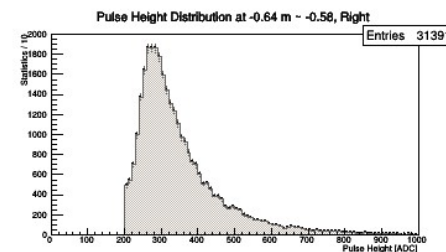
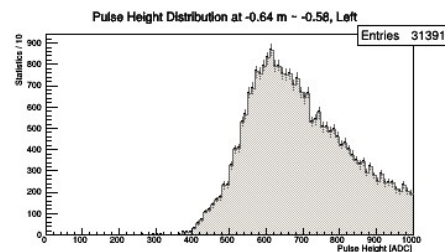
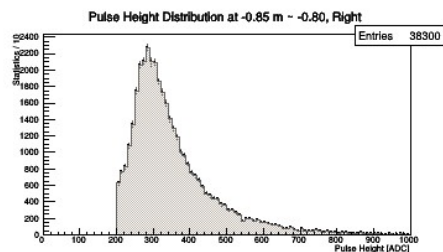
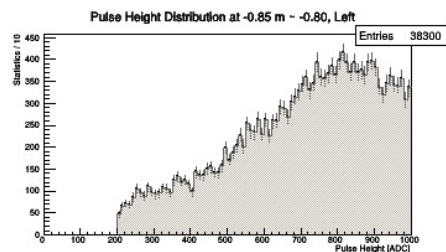


Plastic bar H
THR: 100 ADC
3 Bars Coincidence

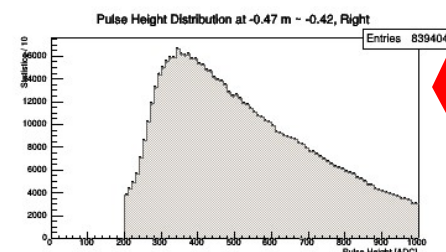
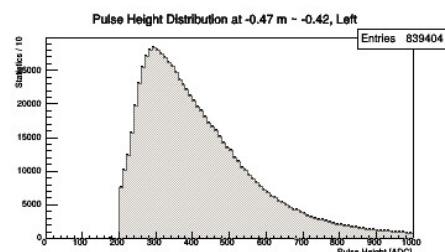
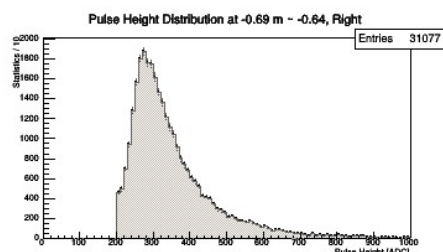
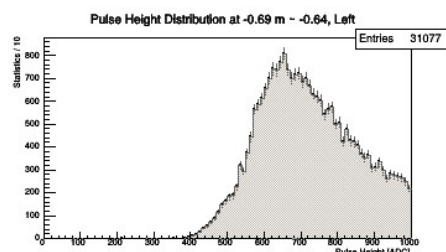
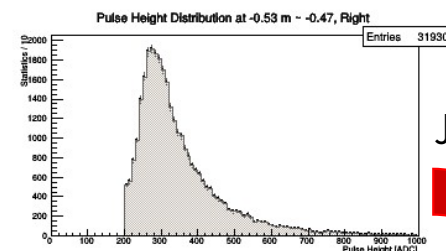
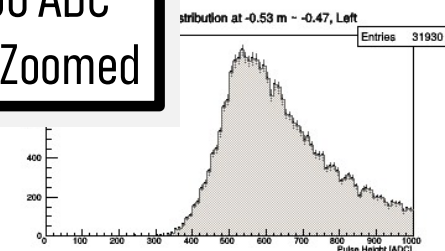
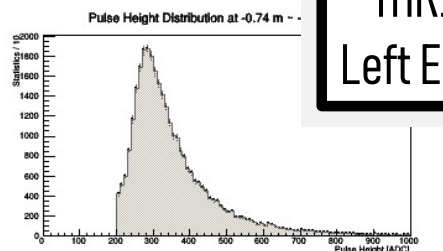
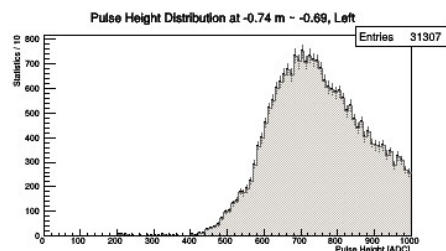
$f_1 - f_0$ Distribution – Small Hills

- There was one more mystery – small hills.
- The reflection of signal on the edge of plastic is suspected, but not clear.





Plastic bar B
THR: 200 ADC
Left End Zoomed



Jump?

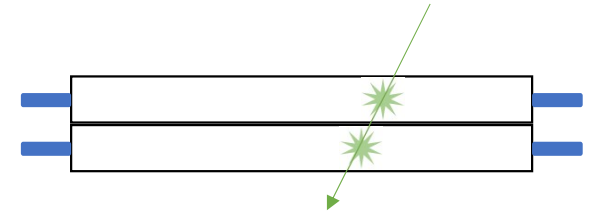


$f_1 - f_0$ Distribution – Conclusion

- Threshold 200 ADC for single plastic bar would be too high.
- But, the reason for $f_1 - f_0$ distribution shape is not clear.

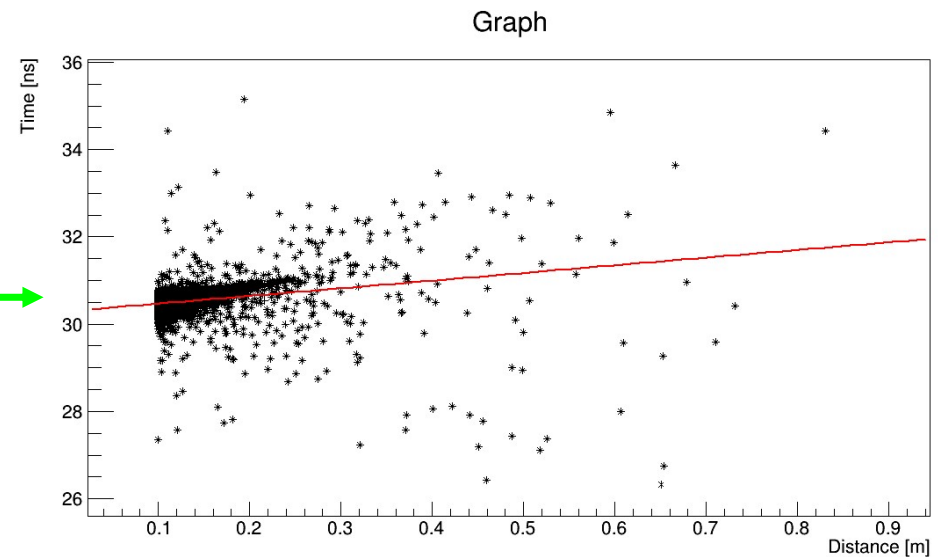
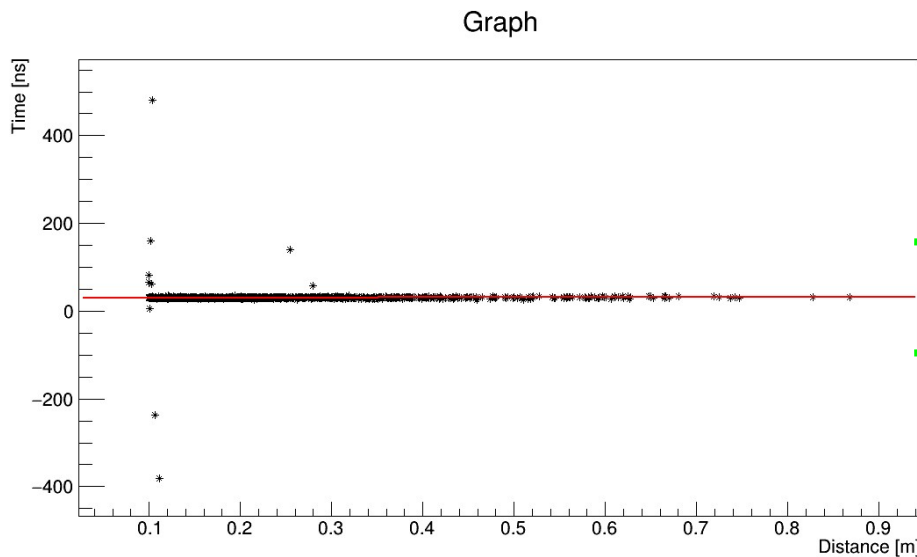
ν_μ Measurement

- Tried to plot the time delay vs distance graph directly.
- Distance was assumed as $s = \sqrt{(0.1\text{m})^2 + \Delta x^2}$. The thickness of the plastic was ignored.



Time Delay vs Distance Plot

- The result was awful. Plot is so noisy.
- Line was fitted as below. It means $\beta_\mu = (1.898 \pm 0.369)c$.
$$t[\text{ns}] = (1.757 \pm 0.425)[\text{ns/m}]s + (30.293 \pm 0.052)[\text{ns}]$$



Time Delay vs Distance Plot

- Event cut is inevitable!

