

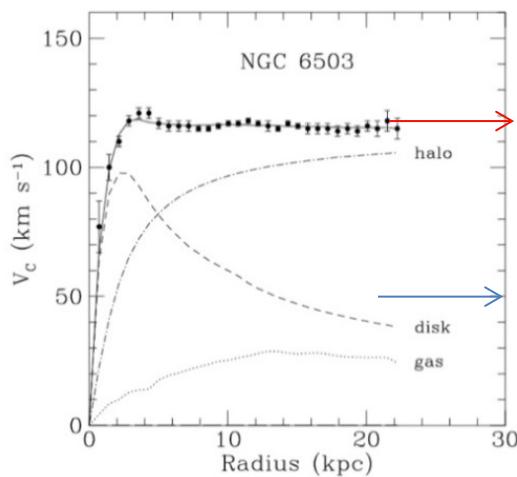
July 13, 2016

# A Search for Dark Matter

Kim, Kyungwon

# Dark Matter - Evidences

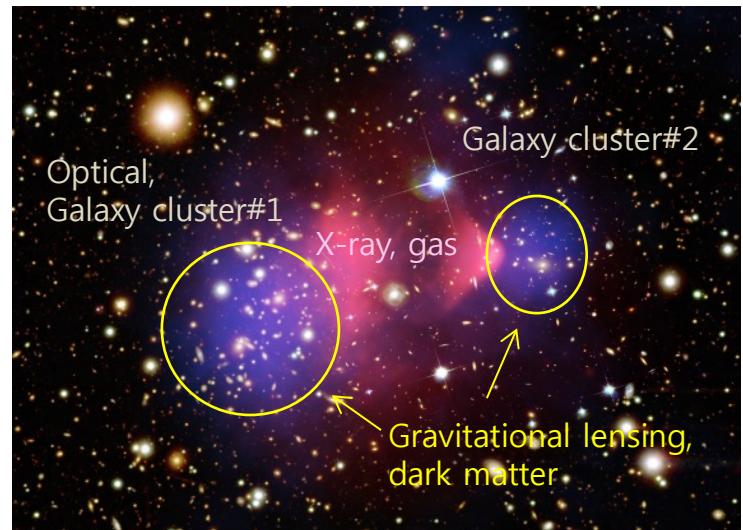
- Galactic scales:  
Rotation curves of galaxies



Observations:  
 $v_r(r \geq R_0) \approx \text{const}$

Expectations:  $v_r \propto \frac{1}{\sqrt{r}}$

- Galaxy cluster scales:  
Bullet cluster



- Cosmological: structure formation

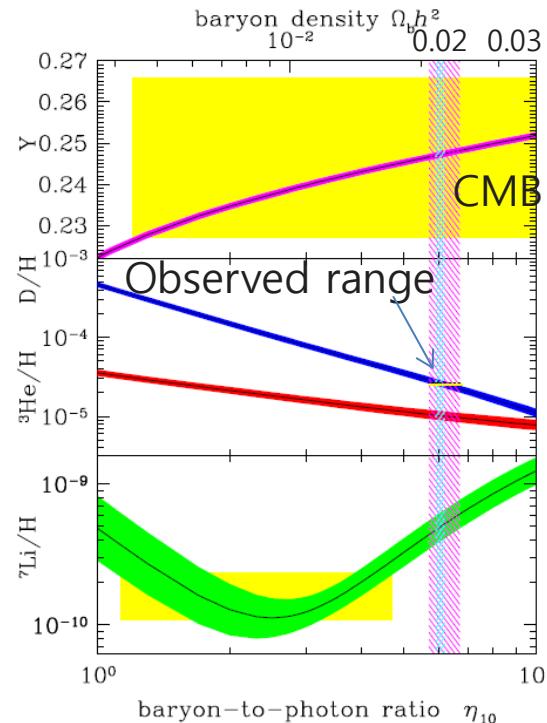
These observations can be explained by dark matter.

# Dark Matter

## Dark Matter is,

- Stable
- Non relativistic, structure formation (cold dark matter)
- Massive, Gravitational interaction
- Neutral, rarely interacting (dark)
- Non-baryonic

Cosmic Microwave Background (CMB) and Big Bang Nucleosynthesis (BBN) find that the average mass/energy content of the universe is mostly dark.



# Supersymmetry

New fundamental symmetry

$$Q|\text{fermion}\rangle = |\text{boson}\rangle, Q|\text{boson}\rangle = |\text{fermion}\rangle$$

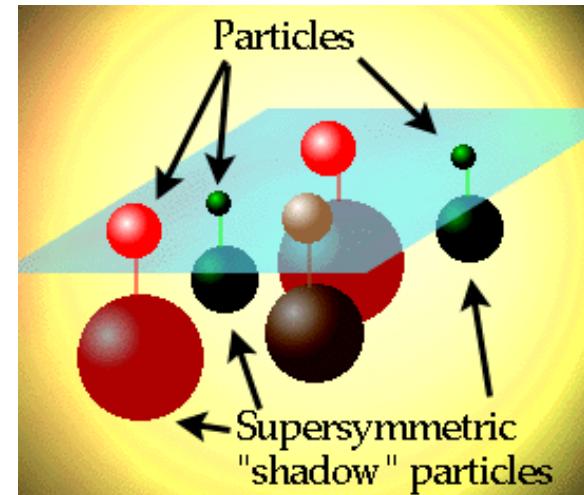
Standard Model (SM) particles gets Superpartner

(differ in spin by  $\frac{1}{2}$  with SM particle)

R parity

$$R = (-1)^{3(B-L)+2S}$$

B: baryon #, L: lepton #, S: spin



Lightest Supersymmetric Particle (LSP) in SUSY is strong candidate for WIMP

→ Neutralino: mixed state of neutral spin  $\frac{1}{2}$  superpartners

$$\tilde{B}, \tilde{W}, \tilde{H}_u, \tilde{H}_d \rightarrow \tilde{\chi}_1, \tilde{\chi}_2, \tilde{\chi}_3, \tilde{\chi}_4$$

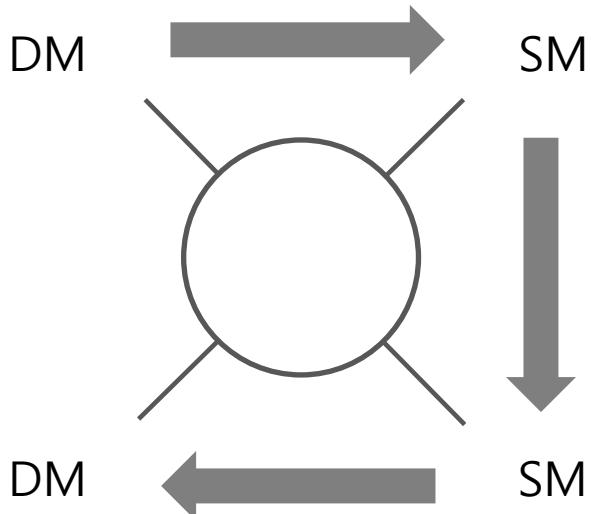
- The right relic density of dark matter is naturally obtained.
- WIMP hypothesis can be experimentally testable.

# Searches for WIMP

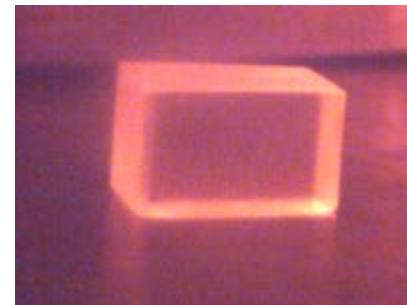


Annihilation  
in the Cosmos

Indirect detection



Direct detection  
Scattering  
in detectors



Production  
in colliders

# Indirect Detection of WIMP

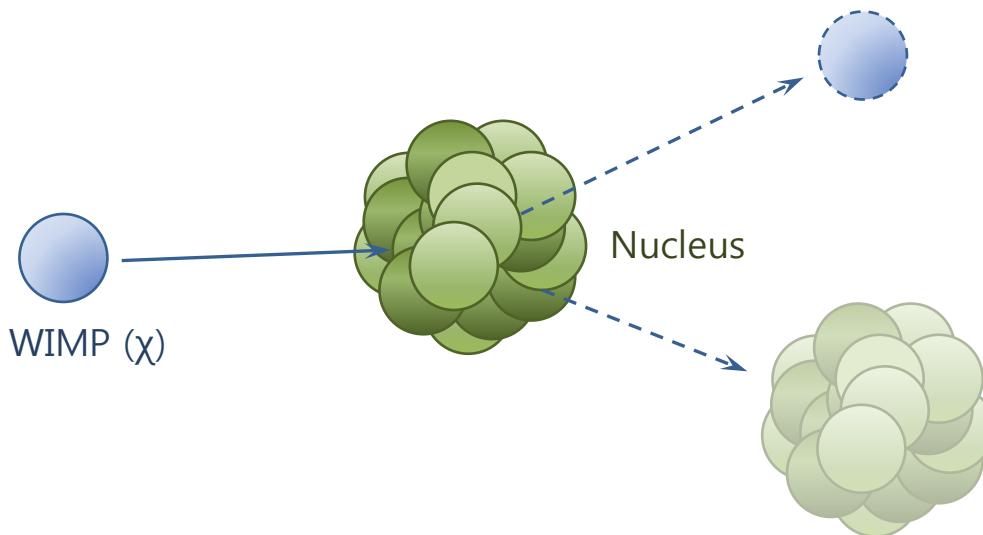
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## Indirect Search

- Detect secondary particle (gamma, neutrino, positron...) produced by annihilation of WIMPs
  - Space, ground, underground experiments
- 
- Neutrinos from the center of Sun, Earth
    - Neutrino telescopes : SuperK, AMANDA,...
  - Gammas from dark halo
    - EGRET, GLAST
  - Positrons/Antiprotons from dark halo
    - HEAT, AMS, ...

# Direct Detection of WIMP

- Elastic scattering of a WIMP off a nucleus:
  - Deposit small amount of recoil energy
  - Can occur via spin-dependent/independent channels
  - Need to distinguish this event from the number of backgrounds events



Observed recoil energy  $E_R \sim 30 \text{ keV}$  ( $m_\chi = 100 \text{ GeV}$ )

# Event Rates

- Interaction rate (counts/keV/kg/day)

$$\frac{dR}{dE_R} = \frac{\sigma_0}{m_\chi} \frac{F^2(E_R)}{m_r^2} \frac{\rho_0 T(E_R)}{v_0 \sqrt{\pi}}$$

$m_\chi$ : WIMP mass ,  $m_r = \frac{m_\chi m_N}{m_\chi + m_N}$

$F^2(E_R)$ : form factor

$\rho_0$ : local density (0.3 GeV/c<sup>2</sup>/cm<sup>3</sup>)

$T(E_R)$ : integral over local WIMP velocity distribution

$v_0$ : local velocity (220 km/s)

- Spin independent interaction:

$$\sigma_0 \cong \frac{4m_r^2}{\pi} f A^2$$

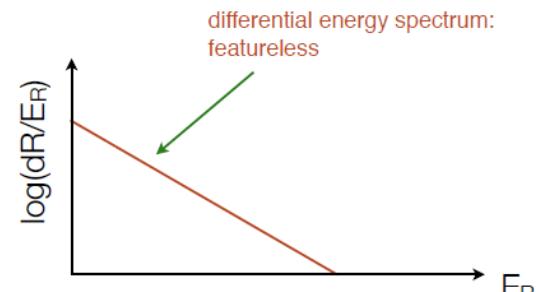
~ Atomic mass (heavy nuclei)

f: coupling constant, A: atomic mass number

- Spin dependent interaction:

$$\sigma_0 = \frac{32(J+1)}{\pi J} G_F^2 m_r^2 (a_p \langle S_p \rangle + a_n \langle S_n \rangle)^2$$

↑              ↑              ↗  
 Fermi constant    coupling constant    nuclear spin  
spin-less nuclides, SD = 0



# Direct Detection of WIMP

---

WIMP scattering event rate is low,

$\sigma = 2 \times 10^{-4} \text{ pb}$ ,  $m_{\text{WIMP}} = 10 \text{ GeV}$ , event rate  $< 1 \text{ counts/day/kg}$

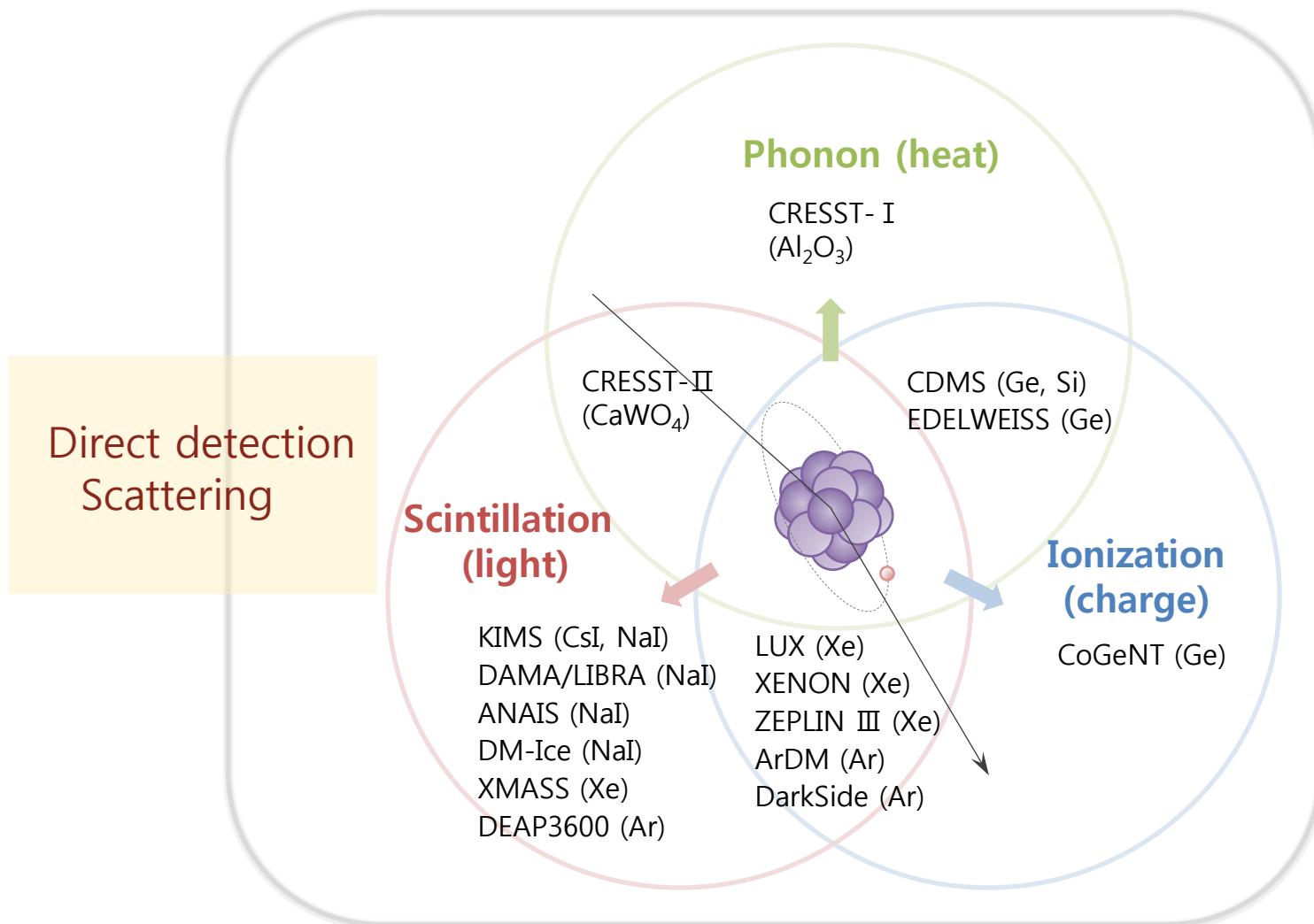
Backgrounds are very large,

Gamma rays, beta decays and Neutrons

Need low backgrounds

- External, natural radioactive backgrounds
    - underground laboratory, active shield
  - Internal radioactive backgrounds – low background crystal
- low backgrounds, good signal discrimination,  
low energy threshold, large exposure (mass  $\times$  time)

# Detection Strategies



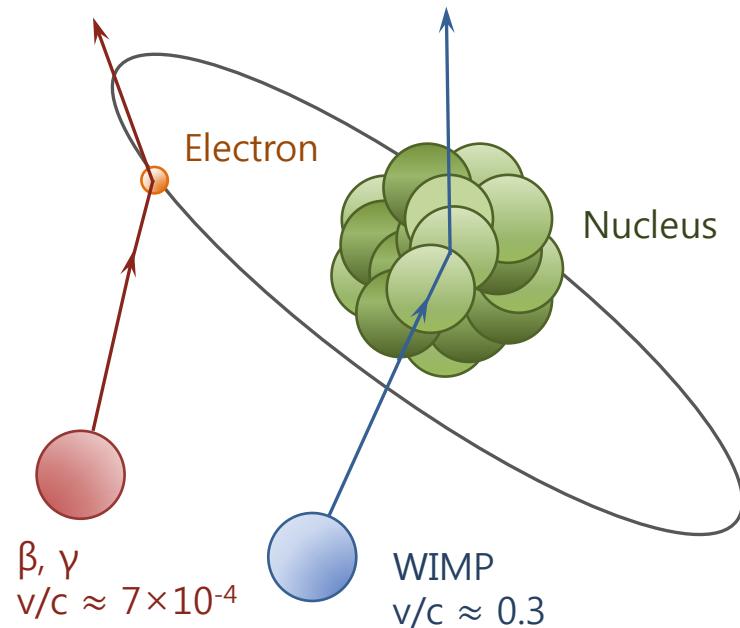
# Detection Principles

## Signal

- Nuclear recoils (NR);  
WIMP is expected to interact with the nucleus and produce nuclear recoils.

## Backgrounds

- Electron recoils (ER);  
Most backgrounds( $\gamma$ ) produce electron recoils.



# Detection Strategies – Liquid noble gas detector

Double phase detector (scintillation – ionization)

Prompt light (S1) after interaction in active volume;

Charge is drifted, extracted into the gas phase and detected as proportional light (S2)

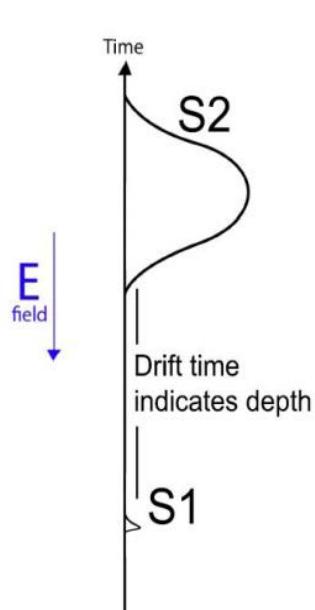
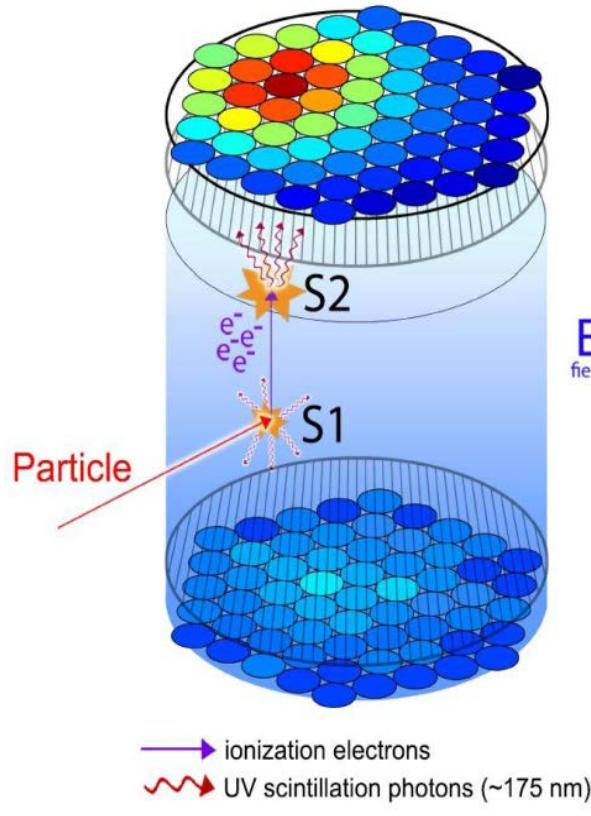
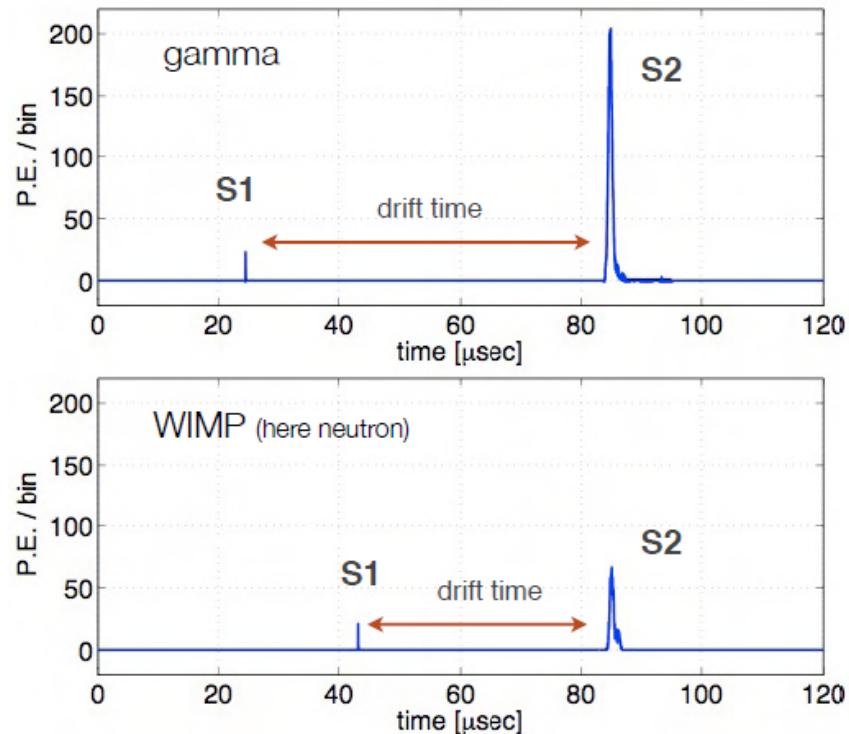


Image by CH Faham (Brown)

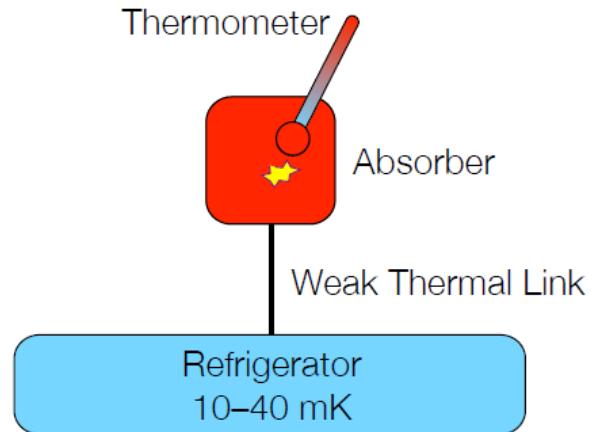
XENON (Xe)



Excitation/Ionization depends on  $dE/dx$ !  
⇒ discrimination of signal (WIMPs → NR)  
and (most of the) background (gammas → ER)!

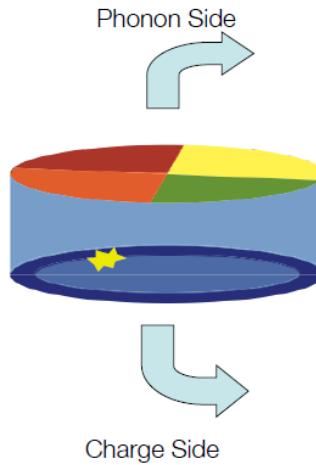
# Detection Strategies – Cryogenic solid state detector

## Phonon (heat) detector



### Advantage of phonon readout

- Direct measurement of nuclear recoil energy (no QF)
- ~100% of recoil energy → low energy thresholds → better sensitivity
- Good energy resolution → better determination of WIMP recoil spectrum



NR – ER discrimination:  
Ionization/phonon or  
Scintillation/phonon

CDMS (Ge, Si)

# Detection Strategies – Scintillating crystal

Scintillation (light) detector:

Measure photons generated by the energy deposition

Different response to nuclear recoils(NR) and  
electron recoils(ER)

Velocity:  $\text{NR} < \text{ER}$

- Stopping power:  $\text{NR} > \text{ER}$
- Ionization quenching:  $\text{NR} > \text{ER}$
- slow component:  $\text{NR} < \text{ER}$
- Pulse Shape Discrimination (PSD) is possible.

# Annual Modulation Signature

The velocity of the Earth varies as the Earth moves around the Sun  
→ the velocity modulation ~7%

$$v_E(t) = v_0 \left( 1.05 + 0.07 \cos \frac{2\pi(t - t_0)}{1 \text{ yr}} \right)$$

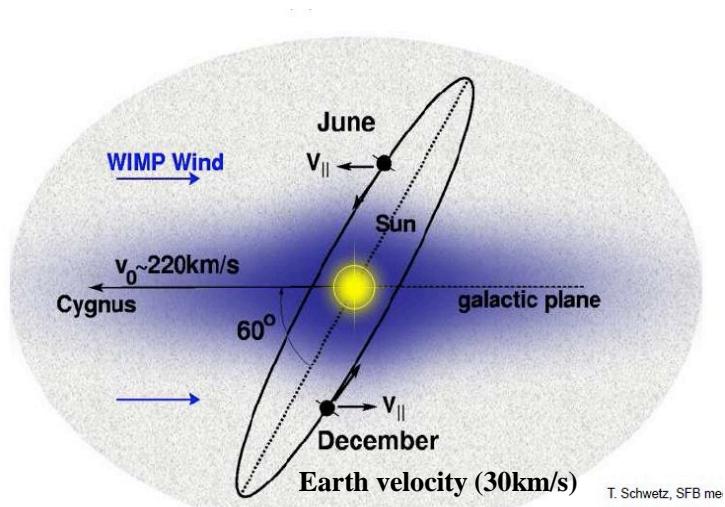
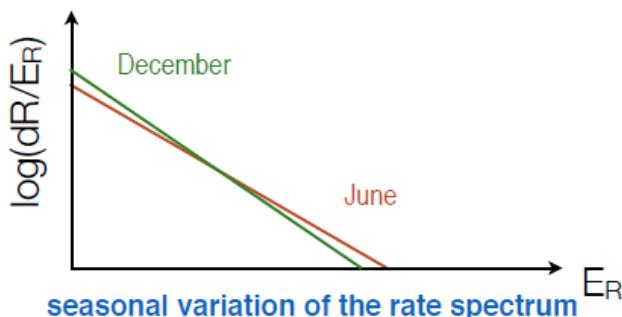
$t$  = days

$t_0$  = 152 d (June 2)

1 yr = 365 days

→ ~ 3% modulation in rate

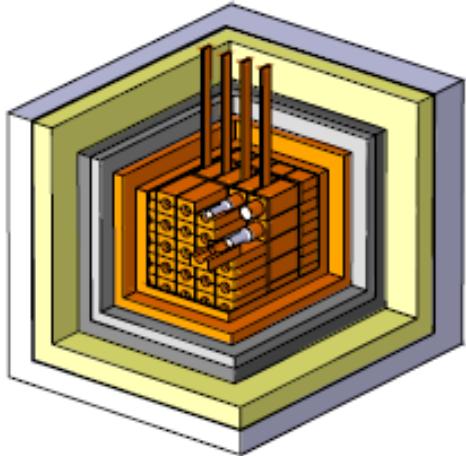
$$\frac{d}{dv_E} \left( \frac{R}{R_0} \right) \sim \frac{1}{2vE} \frac{R}{R_0}$$



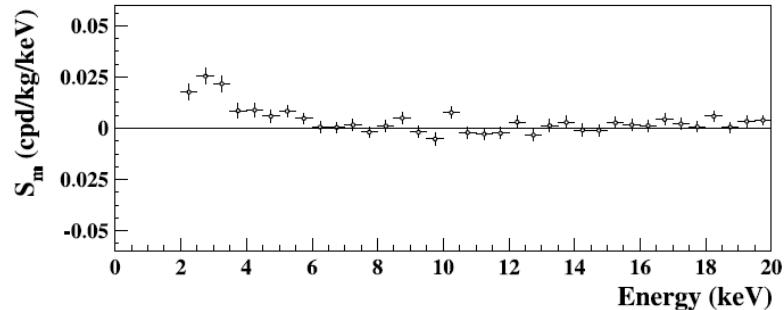
T. Schwetz, SFB me

# DAMA/LIBRA Experiment

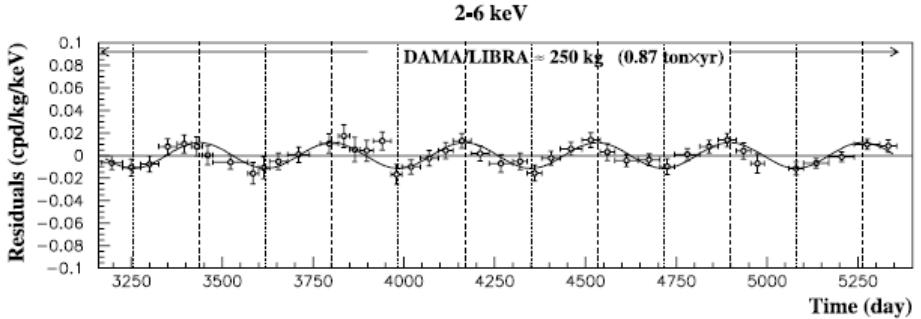
- Operating at LNGS in Italy
- 5 x 5 array, 9.7 kg of NaI(Tl)



- Annual modulation only at the low energies

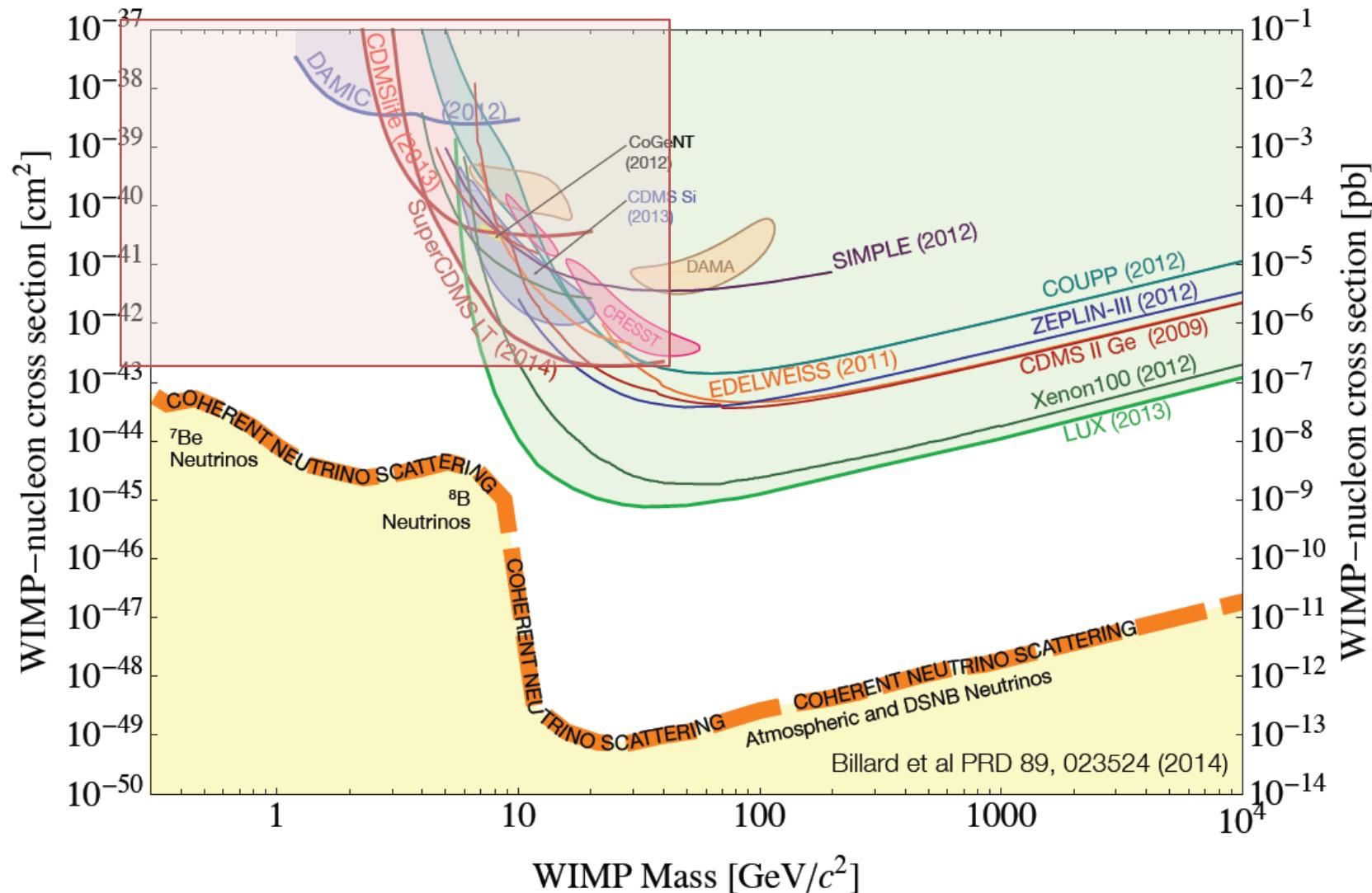


- Modulating signal w/  $9.3\sigma$  level

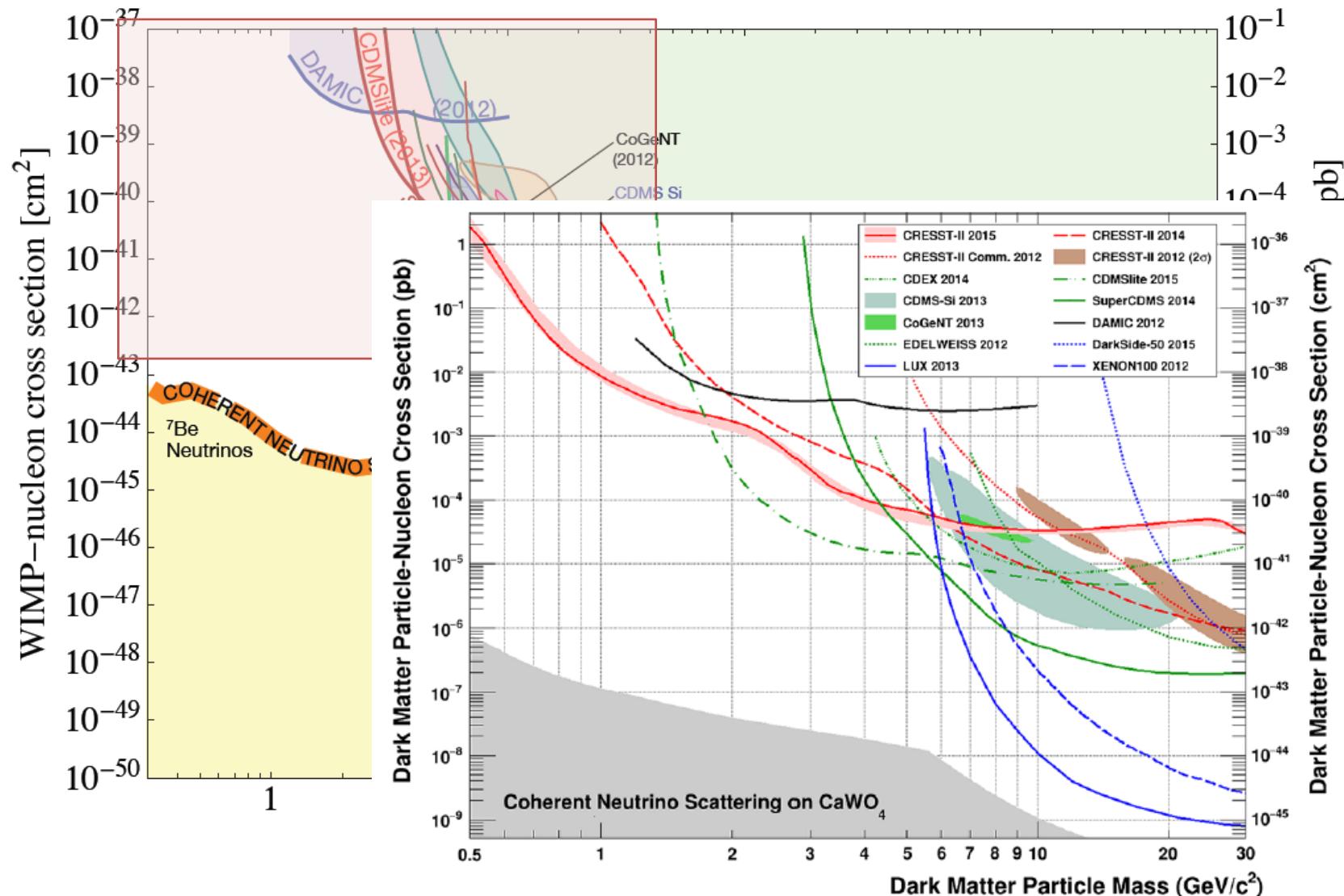


Eur. Phys. J. C73 (2013) 2648

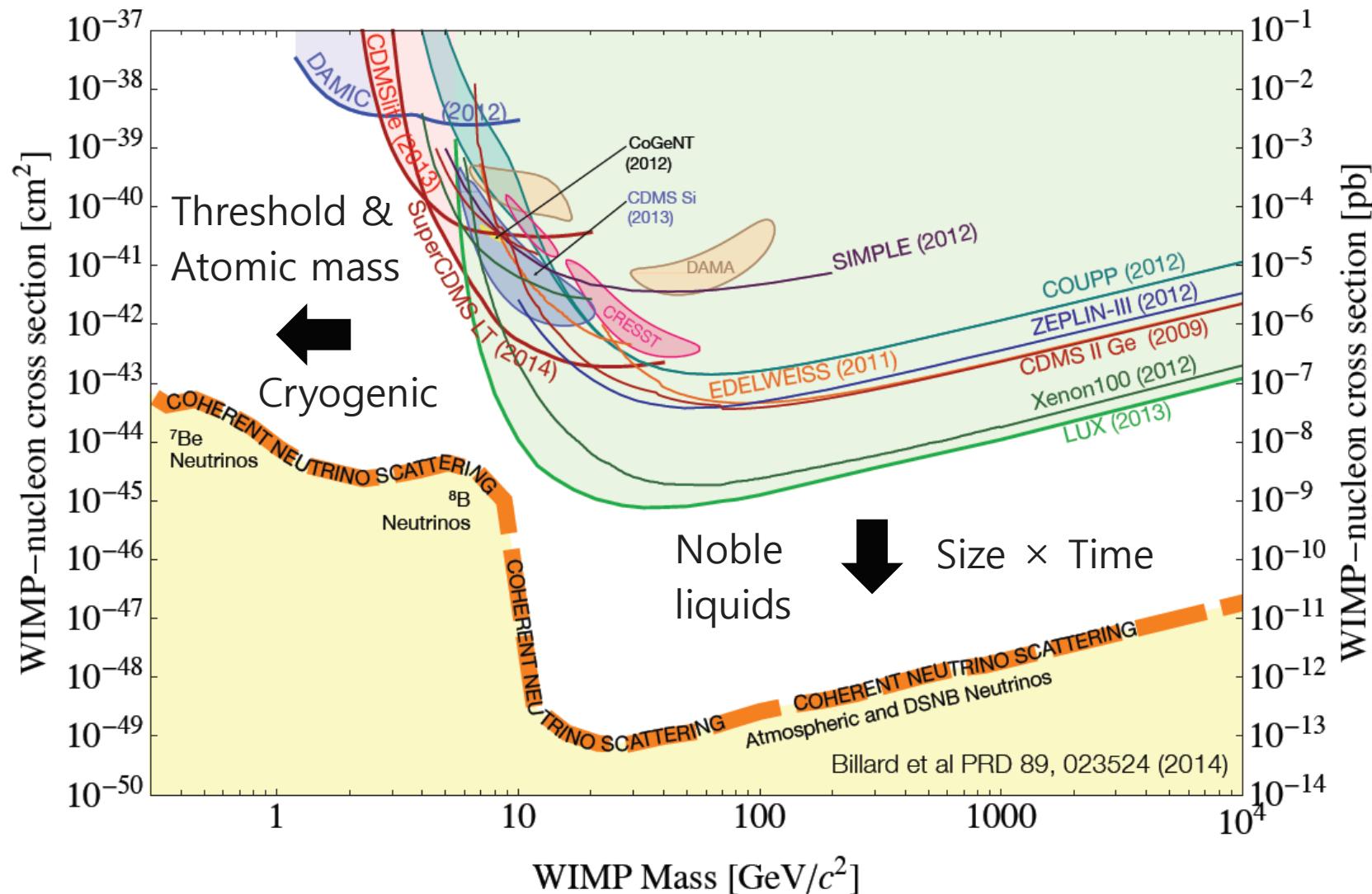
# WIMP Search Status



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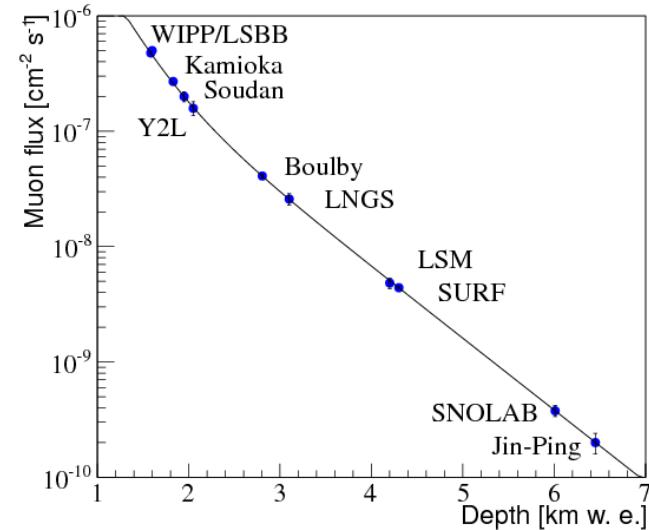
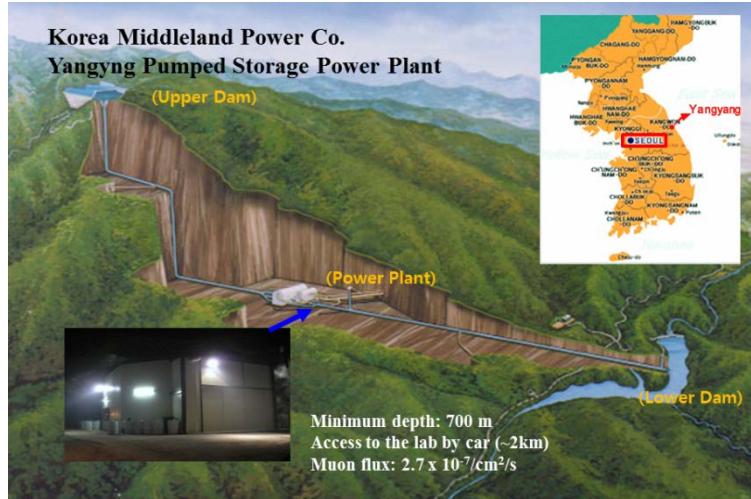


# WIMP Search Status

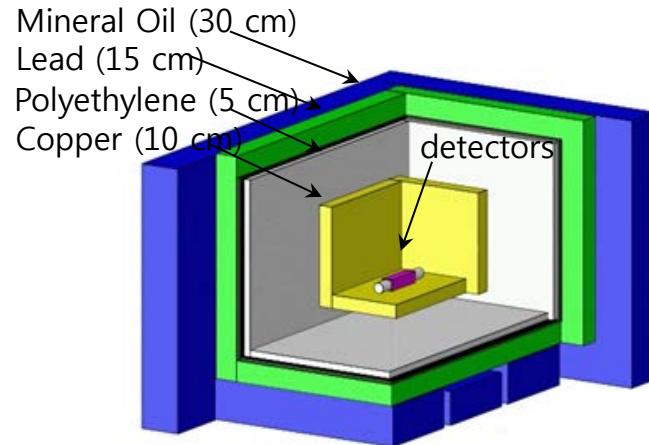
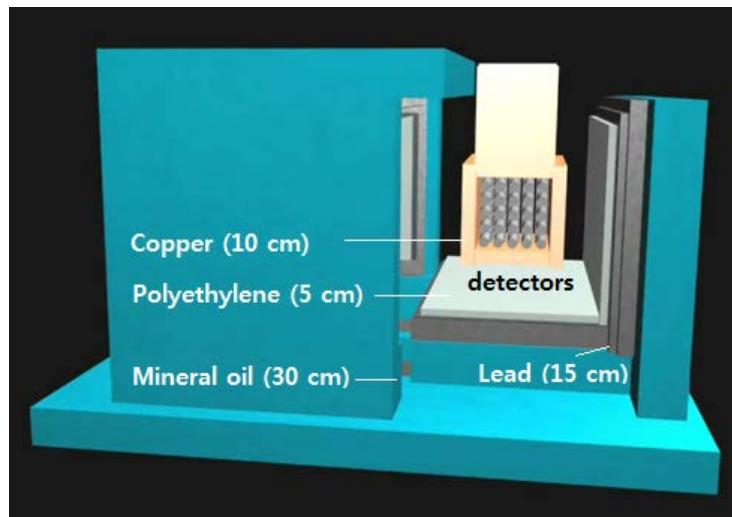


# KIMS Experiment

@ Yangyang underground laboratory, Minimum depth: 700 m



## Shield structure



# KIMS-CsI Experiment

## KIMS-CsI setup

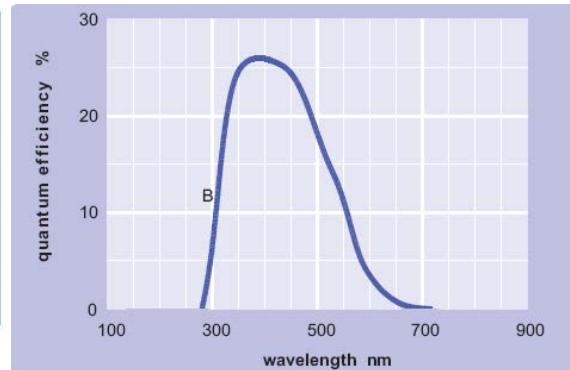
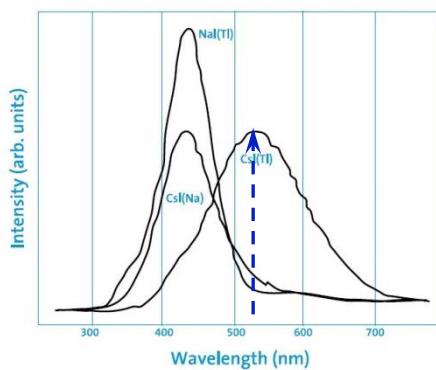


- CsI(Tl)
- 4x3 crystals (104.4 kg)
- Background : 2~3 counts/kg/day/keV (dru)
- Light yield: 5~7 photoelectrons/keV  
(crystal: ~60 photons/keV)
- Decay constant: 1000 ns
- 1 year data (2009-2010): PSD study
- 3 year data (2009-2012): ANM study

## KIMS-CsI detector



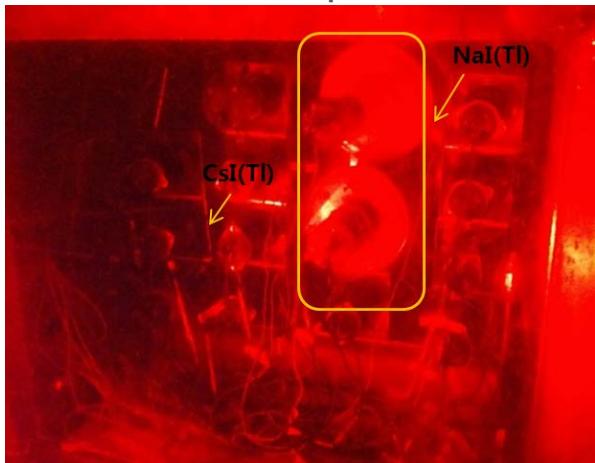
CsI(Tl) Crystal 8x8x30 cm<sup>3</sup> (8.7 kg)  
3" PMT (9269QA, Electron tube)



Peak at ~ 520 nm

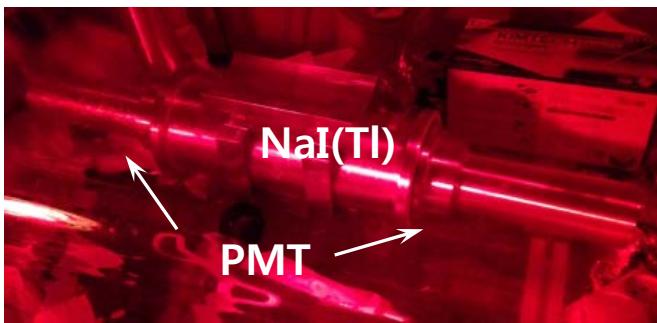
# KIMS-NaI Experiment

## KIMS-NaI setup



- NaI(Tl)
- different mass and dimensions
- Light yield: ~15 photoelectrons/keV  
(crystal: ~40 photons/keV)
- Decay constant: 250 ns
- 2014~ current

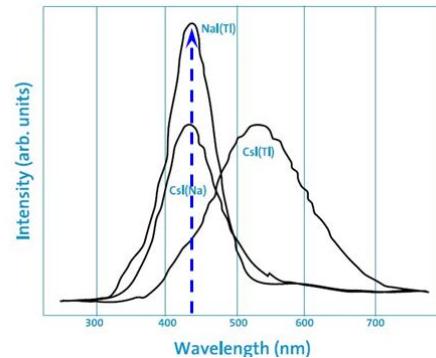
## KIMS-NaI detector



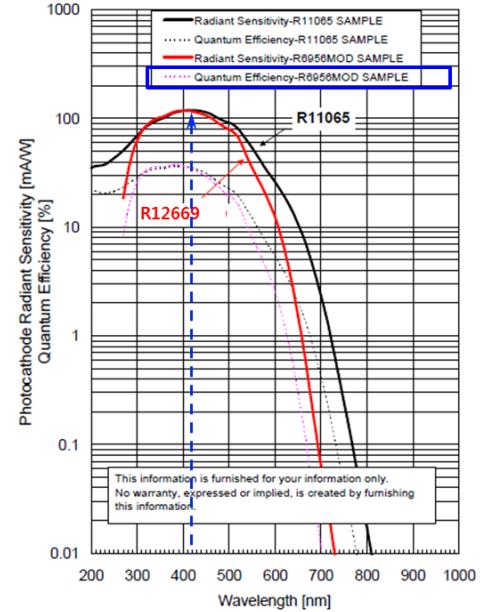
NaI(Tl) crystal

3" PMT (R12669, Hamamatsu)

quantum efficiency: ~35% @ 420 nm



Peak at ~ 420 nm



# Pulse Shape Discrimination

Different response to nuclear recoils(NR) and electron recoils(ER)

Velocity: NR < ER

→ Stopping power: NR > ER

→ Ionization quenching: NR > ER

→ slow component: NR < ER

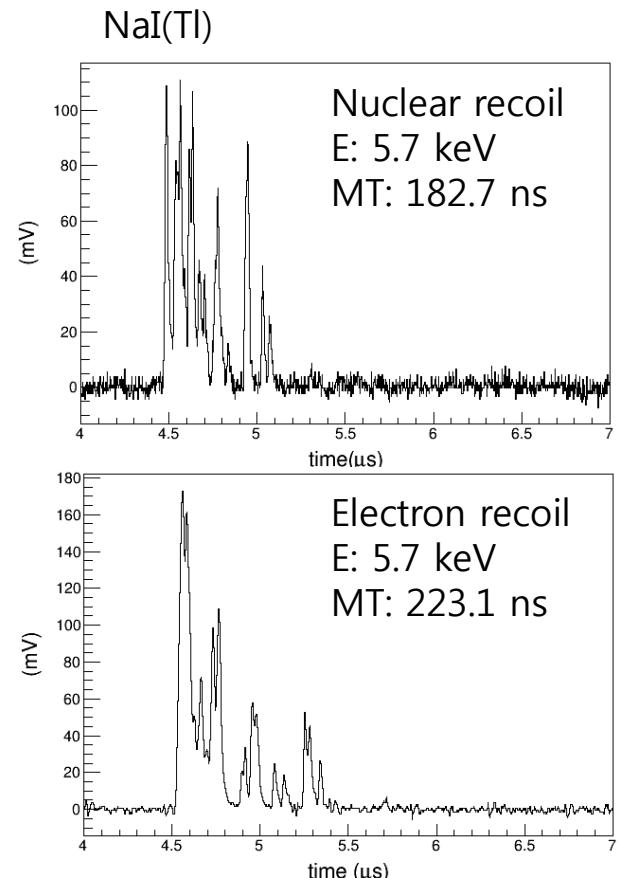
→ Pulse Shape Discrimination (PSD) is possible.

PSD parameter:  $\ln(\text{Mean Time})$

$$\text{Mean Time} = \frac{\sum A_i \times t_i}{\sum A_i}$$

$A_i$ : charge of ith signal cluster

$t_i$ : time of ith signal cluster

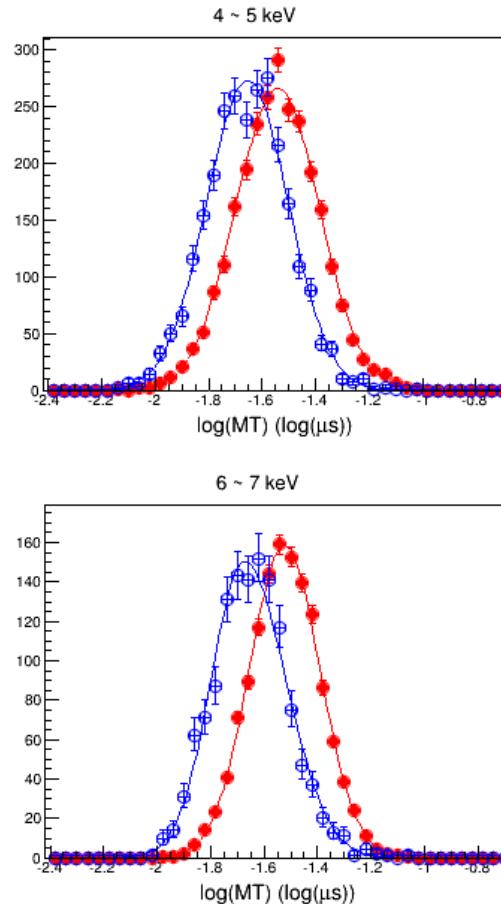
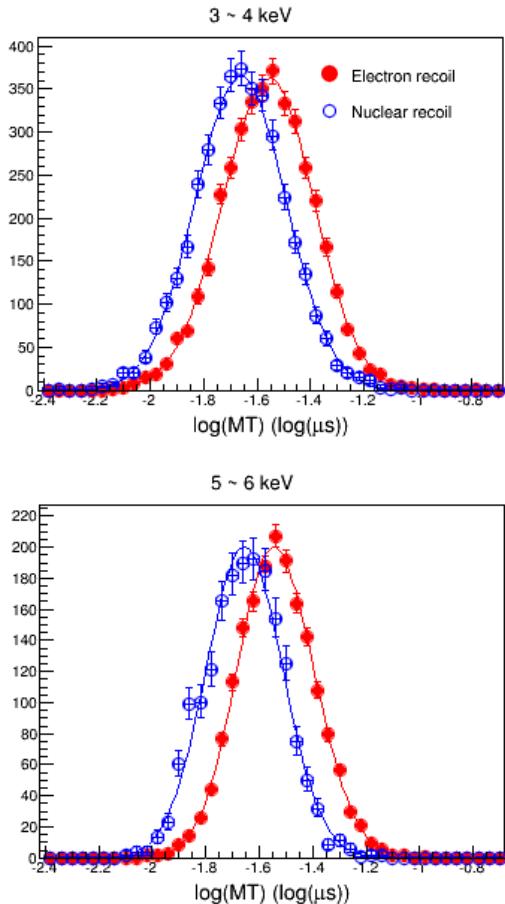


# PSD Analysis – Neutron calibration (NaI(Tl))

PSD parameter:  $\ln(\text{Mean Time})$

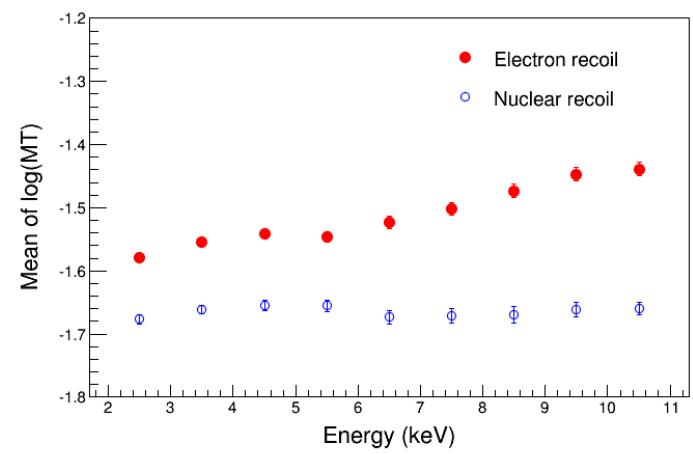
$$\text{Mean Time} = \frac{\sum A_i \times t_i}{\sum A_i} \text{ in } 1.5 \mu\text{s}$$

- Nuclear recoil: A 300mCi Am/Be neutron source
- Electron recoil:  $^{137}\text{Cs}$  gamma ray source
- Small test crystal (same ingot with NaI-002)



Fitting parameter:  
Mean, RMS

Fitting result – Mean of  $\ln(\text{MT})$

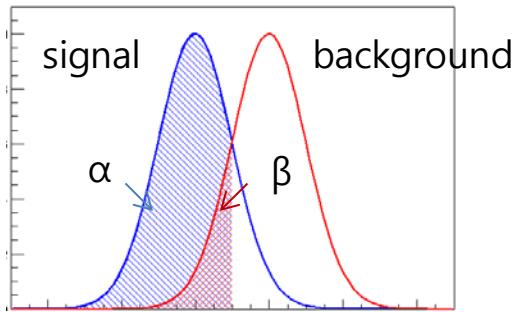


# PSD Analysis – The power of discrimination

Quality Factor

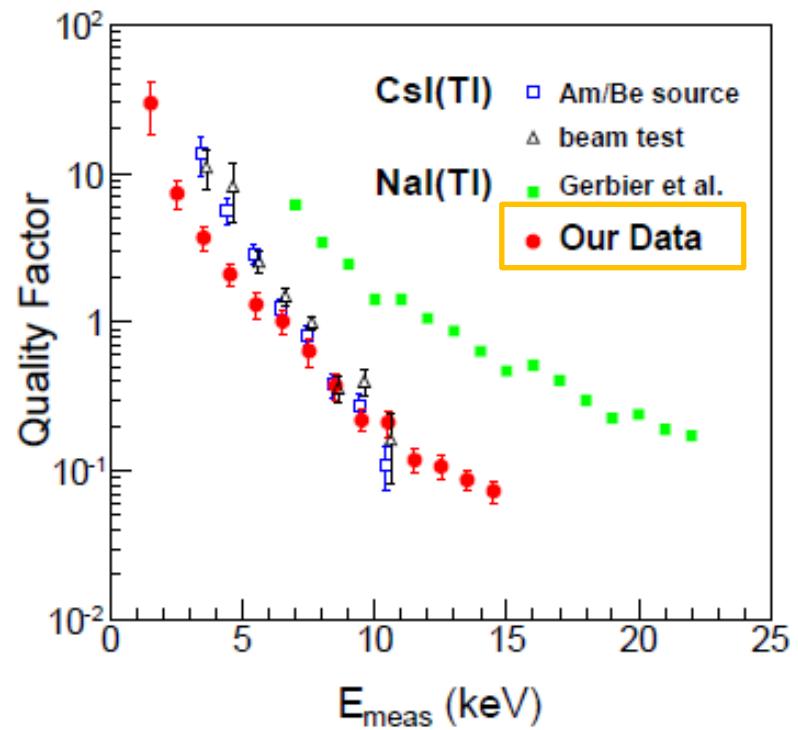
$$K = \frac{\beta(1 - \beta)}{(\alpha - \beta)^2}$$

ideal detector  
 $\alpha \sim 1, \beta \sim 0$   
 $K \ll 1$



$\alpha$ : signal acceptance fraction

$\beta$ : background misidentification fraction



Good pulse shape discrimination capabilities

# Nuclear Recoil Rate Extraction (NaI(Tl))

- Data fitted with  $\ln(MT)$  of NR & ER

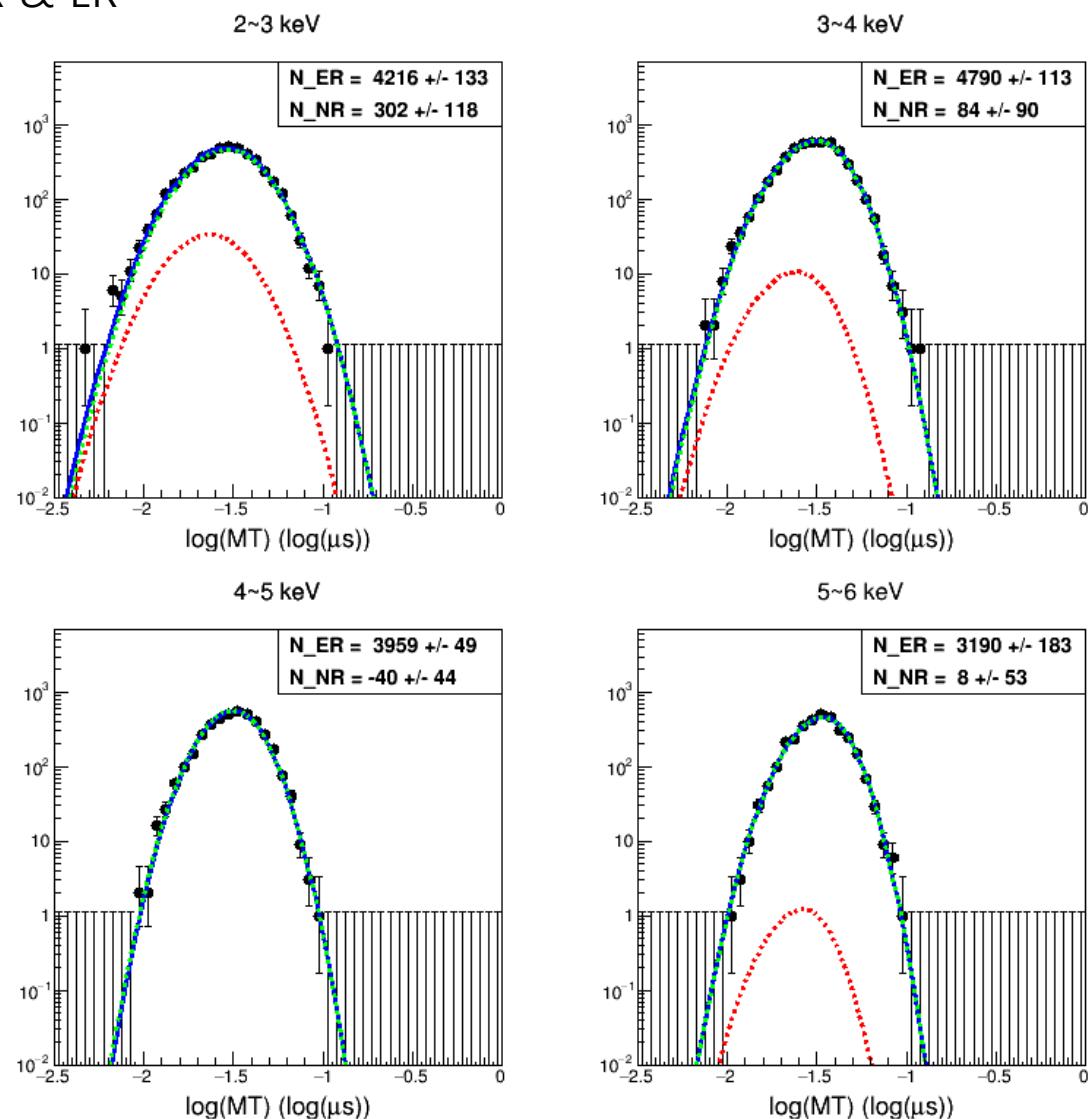
Fitting parameter:  $N_{ER}$ ,  $N_{NR}$

**Black:** data

**Blue solid:** fitting

**Green dashed:** ER

**Red dashed:** NR



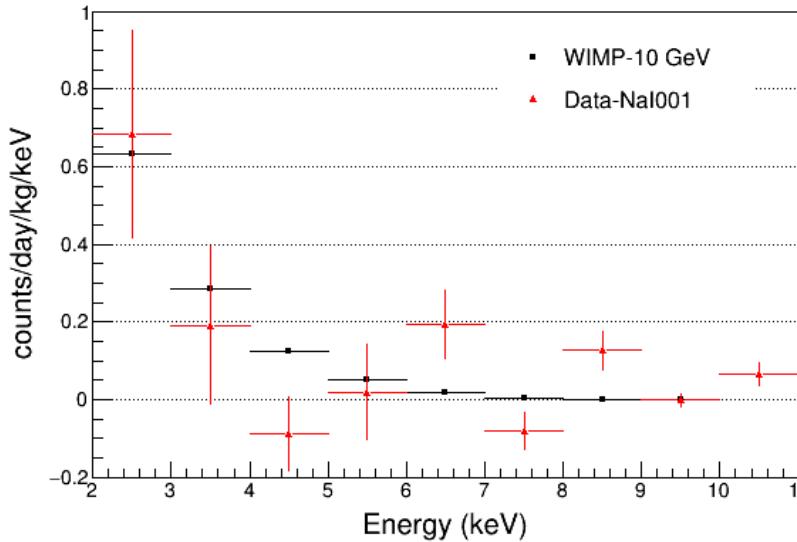
# WIMP Mass – Cross Section (NaI(Tl))

WIMP recoil energy spectrum:

$$E_R \rightarrow dR/dE(\text{Form factor, interaction considered}) \cdot QF \cdot \text{Energy resolution}$$

QF: Na-30%, I-9%, Energy resolution:  $\frac{\sigma}{E} = \frac{p0}{\sqrt{E}} + p1$

$$\chi^2 = \sum_i \frac{(y_i - y_{expected})^2}{\sigma_i^2}$$



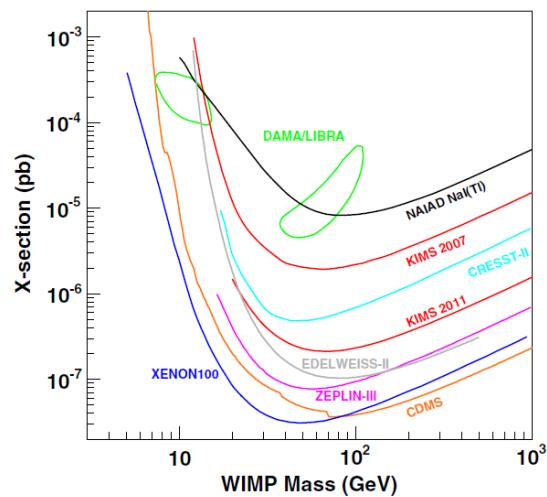
WIMP mass: 10 GeV  
 $\sigma: 3.68 \times 10^{-4} \text{ pb}$

WIMP-nucleon cross section limit was estimated by fitting NR rate spectrum to WIMP recoil spectrum.

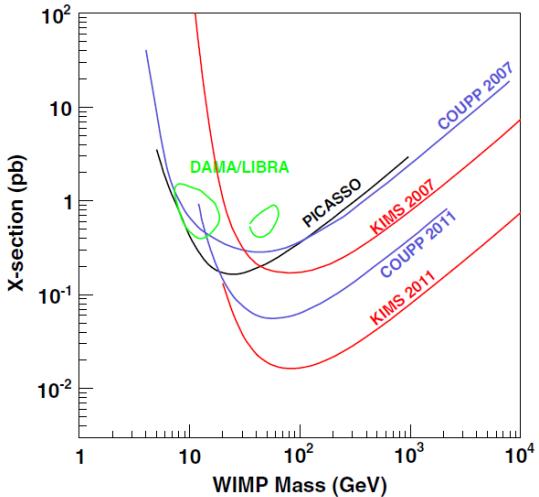
# WIMP Mass – Cross Section

## KIMS-CsI

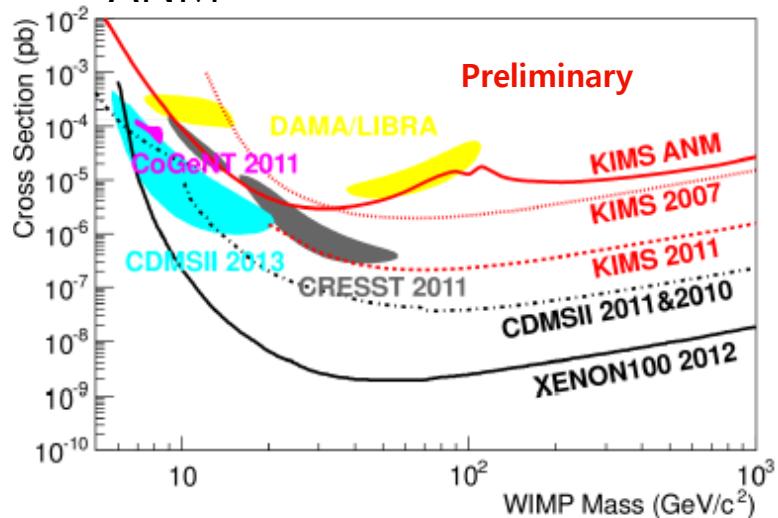
PSD – SI



SD

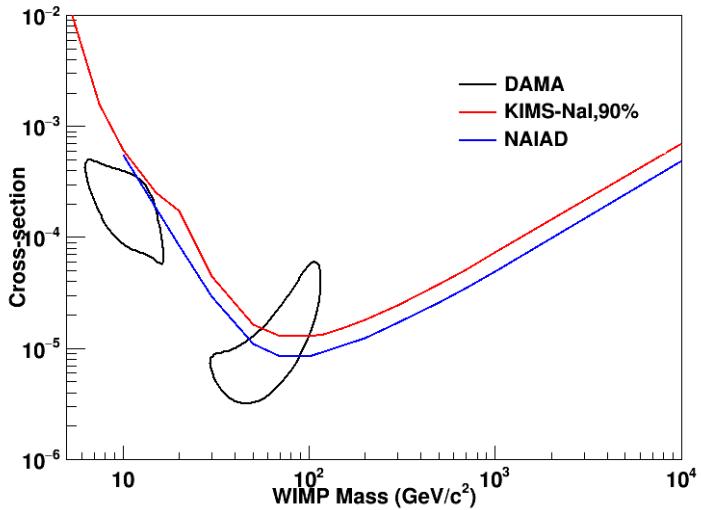


ANM



## KIMS-NaI

PSD – SI



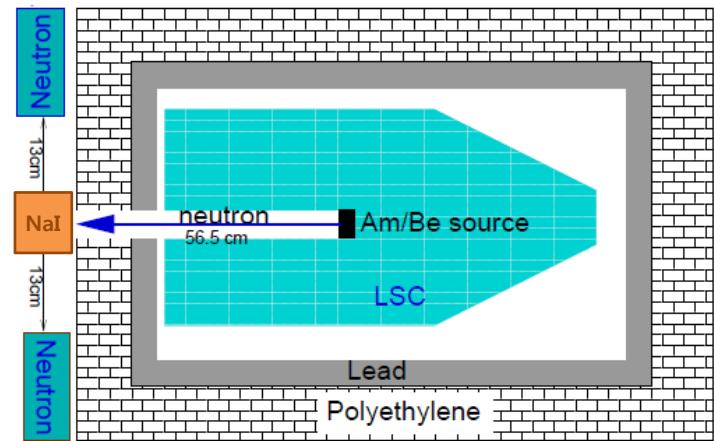
Systematic uncertainty is not included.

# Backup Slides

# PSD analysis – Neutron Calibration

## Nuclear recoil (NR) data:

- Neutron setup (SNU)
  - Am/Be neutron source
  - small test crystal –  $2 \times 2 \times 1.5 \text{ cm}^3$   
same ingot with NaI002  
NaI002: 4.2"(D) x 11"(L)



## Electron recoil (ER) data:

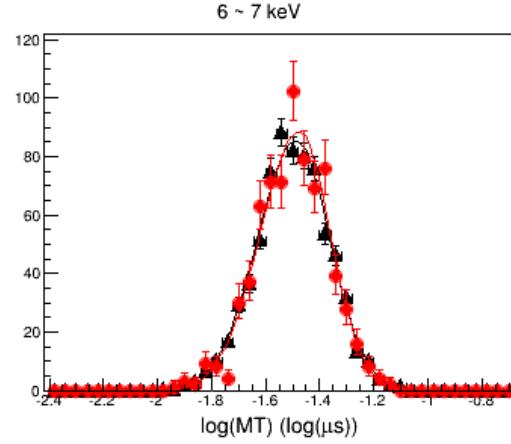
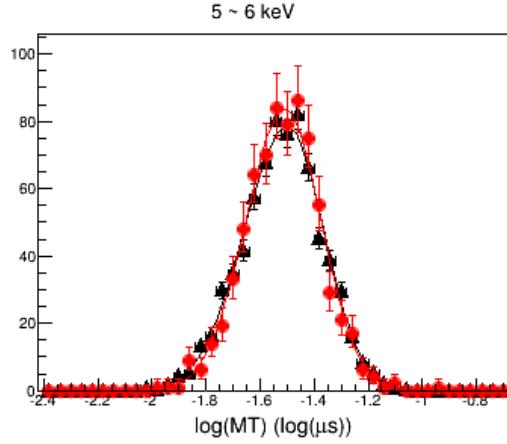
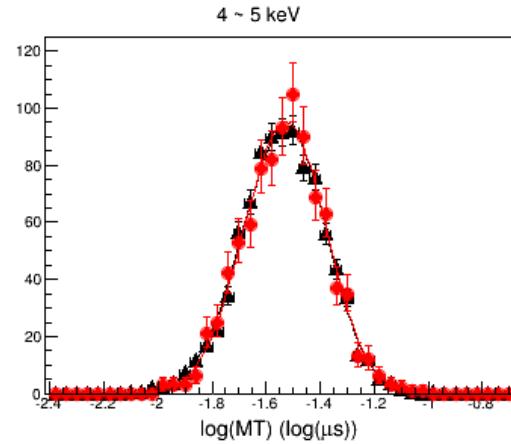
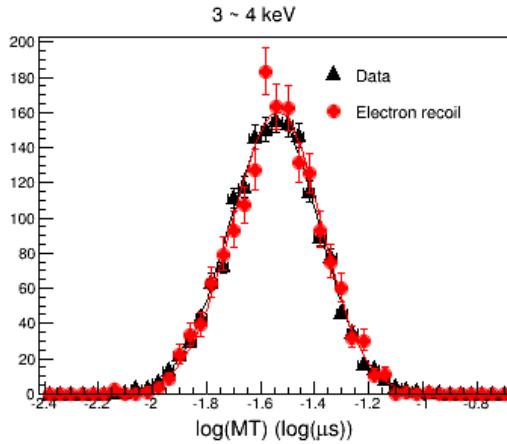
- NaI002, multiple hit event (Y2L)
- Reference data:
  - $^{137}\text{Cs}$  source (small crystal-neutron setup)

# PSD analysis – Underground data

PSD parameter:  $\ln(Mean\ Time)$

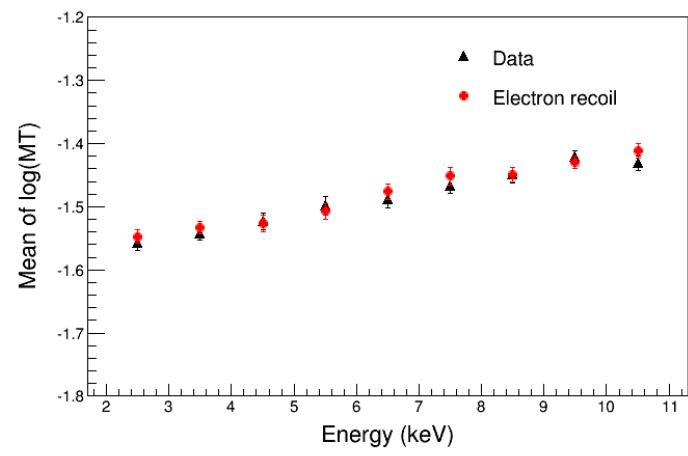
$$Mean\ Time = \frac{\sum A_i \times t_i}{\sum A_i} \text{ in } 1.5\ \mu\text{s}$$

- NaI001 (8.26 kg), 80.77 days data
- Electron recoil: Multiple hit events



Fitting parameter:  
Mean, RMS

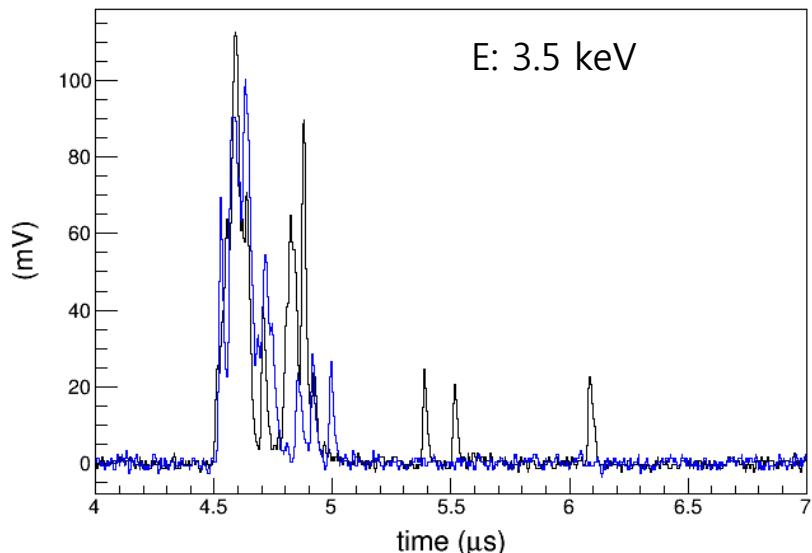
Fitting result – Mean of  $\ln(MT)$



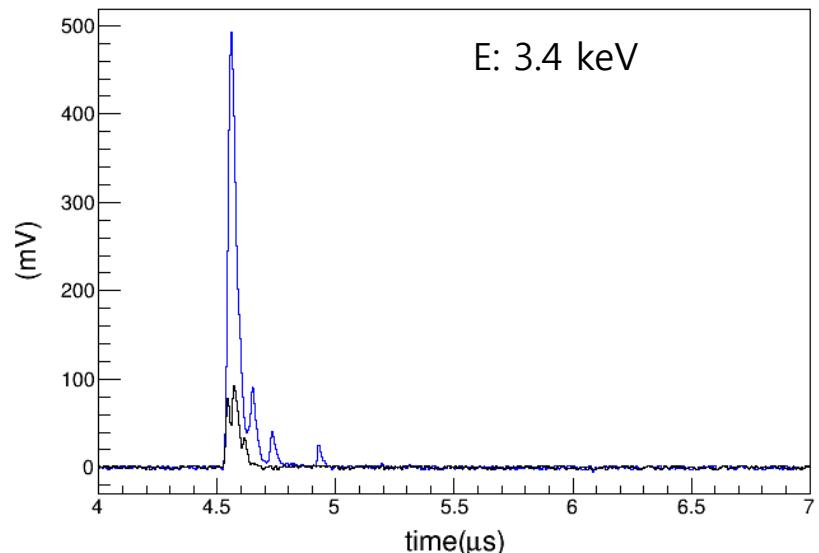
# PMT noise rejection

PMT noise event rate  $\sim$  a few hundred events/day

Typical NaI(Tl) scintillation signal



noise



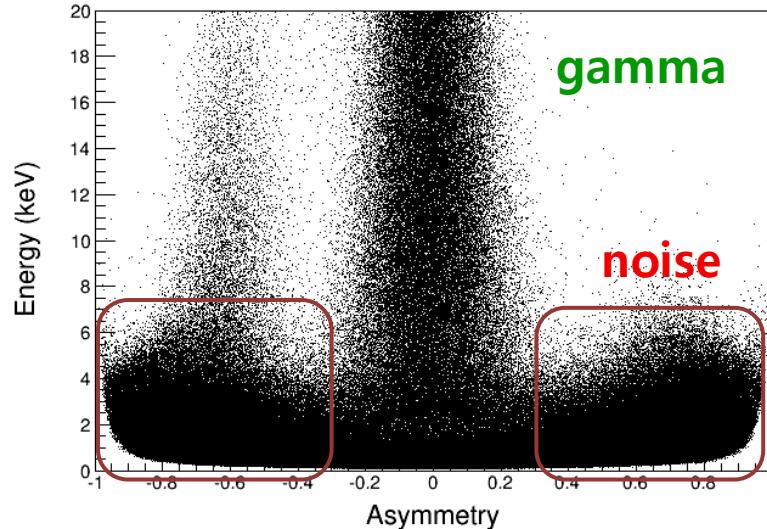
black: PMT0  
blue: PMT1

# PMT noise rejection

- Charge Asymmetry

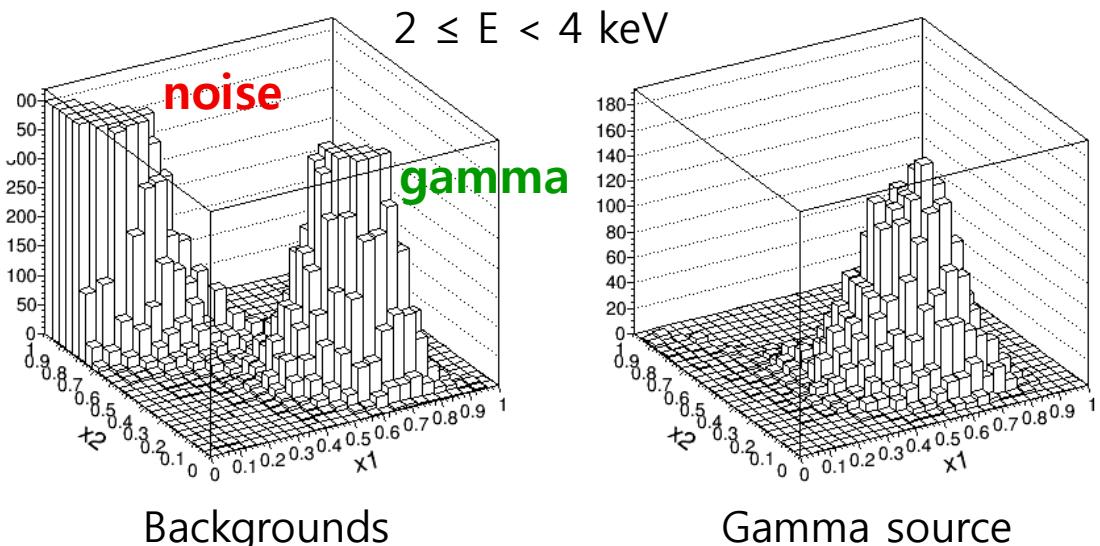
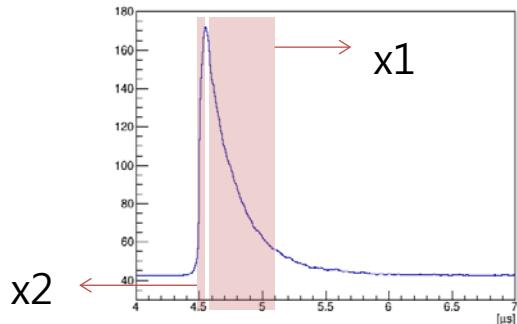
$$\text{Asymmetry} = \frac{(Q_{PMT0} - Q_{PMT1})}{(Q_{PMT0} + Q_{PMT1})}$$

$Q_{PMT}$ : charge sum



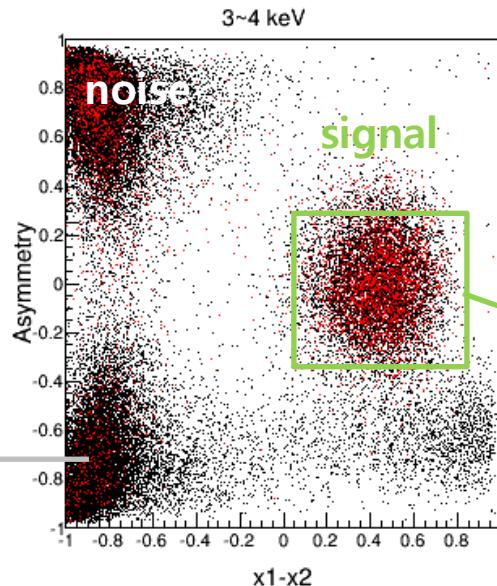
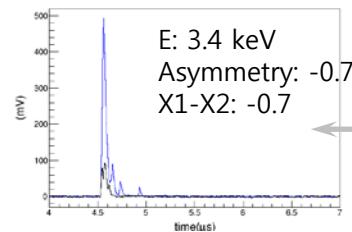
- Charge ratio

x1: slow component  
x2: fast component

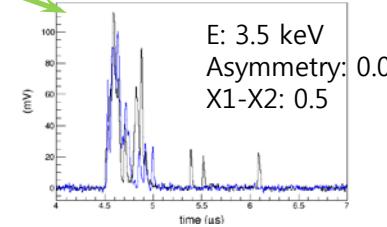


# PMT noise rejection

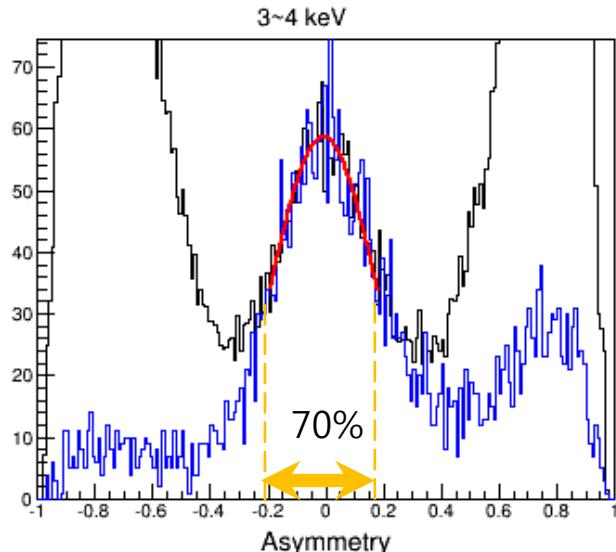
- Charge Asymmetry vs Charge ratio



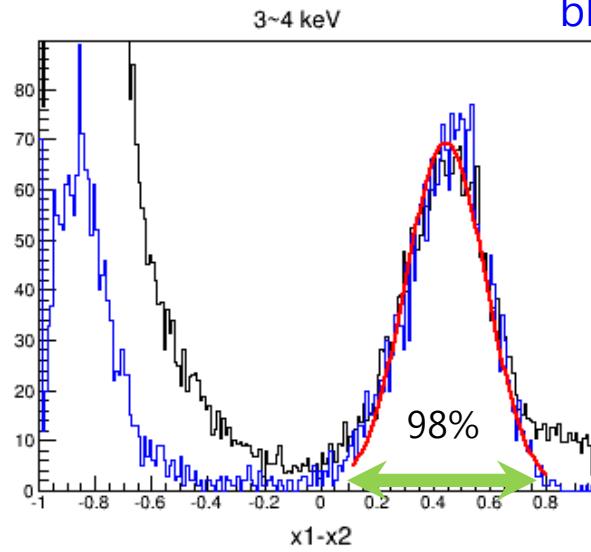
black: single hit  
red: multiple hit



Charge Asymmetry



Charge ratio

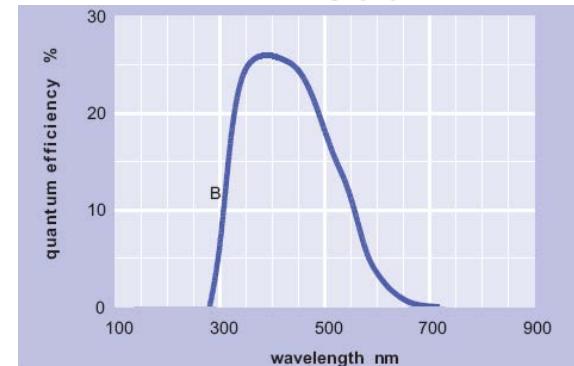
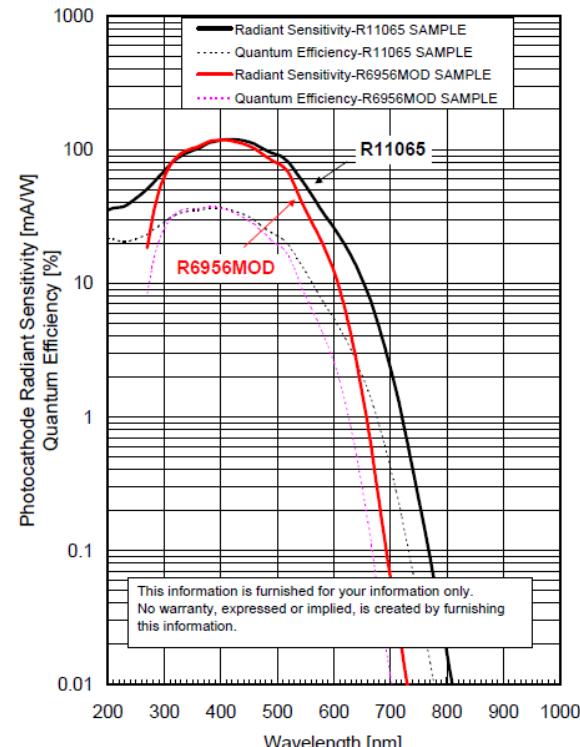


black: single hit  
blue: multiple hit

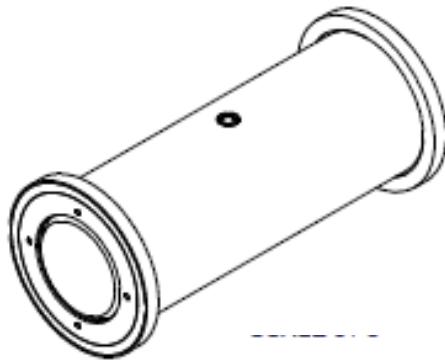
# KIMS NaI detector – Photo Multiplier Tube (PMT)

Property	R12669	9269QA
Manufacturer	Hamamatsu	Electron tubes
Window material	Brosocilicate	Quartz
Body material	Brosocilicate	Quartz+Borosilicate
Photocathode material	SBA	RbCs
Effective Dia. (mm)	70	76
Dark Current (nA, 30min)	6	4
U (mBq/PMT)	$25 \pm 5$	83
Th(mBq/PMT)	$12 \pm 5$	48
K (mBq/PMT)	$58 \pm 5$	1866
Gain (HV)	$1 \times 10^6$	$1.8 \times 10^6$
Remarks	Same PMT used in DAMA, ANAIS	Used in KIMS-CsI

Quantum Efficiency



# KIMS NaI detector – NaI(Tl) crystal



Property	NaI(Tl)
Density (g/cm <sup>3</sup> )	3.67
Decay constant (ns)	~ 250
Peak emission (nm)	415
Light yield (photon/MeV)	~ 40000

NaI002 (Dec. 2013)

- Alpha Spectra in US
- 4.2"(D) X 11"(L), 9.2 kg
- Encapsulated in OFH Cu case
- Aluminized Mylar window  
**good**
- High light yield
- Easily growing in large size crystals
- Enable spin-dependent interaction  
**bad**
- High hygroscopic
- Low quenching factor
- No particle discrimination(?)

Radio nuclei	NaI002	ANALIS	DAMA
<sup>238</sup> U ( <sup>214</sup> Bi)	<0.001 mBq/kg	0.01 mBq/kg	1-10 ppt
<sup>228</sup> Th ( <sup>216</sup> Po)	0.002±0.001 mBq/kg	0.003 mBq/kg	1-10 ppt
<sup>40</sup> K	49.3 ppb	41 ppb	< 20 ppb
<sup>210</sup> Pb	1.76±0.01 mBq/kg	3.28±0.02 mBq/kg	

## VI. Expected WIMP recoil energy spectrum

$E_r \rightarrow dR/dE * \text{Form factor (SI)} * \text{quenching factor}$

**dR/dE:**  $\frac{dR(v_E, v_{\text{esc}})}{dE_R} = \frac{k_0}{k_1} \left[ \frac{dR(v_E, \infty)}{dE_R} - \frac{R_0}{E_0 r} e^{-v_{\text{esc}}^2/v_0^2} \right].$

$$\frac{dR(v_E, \infty)}{dE_R} = c_1 \frac{R_0}{E_0 r} e^{-c_2 E_R / E_0 r}, \quad k = k_1 = k_0 \left[ \text{erf} \left( \frac{v_{\text{esc}}}{v_0} \right) - \frac{2}{\pi^{1/2}} \frac{v_{\text{esc}}}{v_0} e^{-v_{\text{esc}}^2/v_0^2} \right], \quad \frac{c_1}{c_2} = \frac{R(v_E, \infty)}{R_0}.$$

$$R_0 = \frac{503}{M_D M_T} \left( \frac{\sigma_0}{1 \text{ pb}} \right) \left( \frac{\rho_D}{0.4 \text{ GeV} c^{-2} \text{ cm}^{-3}} \right) \left( \frac{v_0}{230 \text{ km s}^{-1}} \right) \text{ tru} \quad E_0 = \frac{1}{2} M_D v_0^2 = (v_0^2/v^2) E$$

$$v_0 = 220 \text{ km/s}, v_{\text{esc}} = 544 \text{ km/s}, \rho_D = 0.3 \text{ GeV/c}^2/\text{cm}^3$$

$M_D$ : WIMP mass,  $M_T$ : target material mass

**Form Factor:**  $F(qr_n) = 3 \frac{j_1(qr_n)}{qr_n} \times e^{-(qs)^2/2},$   
**(SI)**

$$r_{\text{rms}}^2 = \frac{3}{5} r_n^2 + 3s^2, \quad r_n = a_n A^{1/3} + b_n \quad q(\text{MeV} c^{-1}) = [2 \times 0.932(\text{GeV} c^{-2}) A E_R (\text{keV})]^{1/2}$$

**Quenching Factor:** Na-0.3, I-0.09

$E_r \rightarrow \text{energy resolution}$

$$\frac{\sigma}{E} = \frac{p_0}{\sqrt{E}} + p_1 \quad \text{From } {}^{40}\text{K}, {}^{125}\text{I}, {}^{241}\text{Am: (3.07, 30.77, 59.54) keV}$$
$$p_0 = 0.3122, p_1 = 0.006$$