

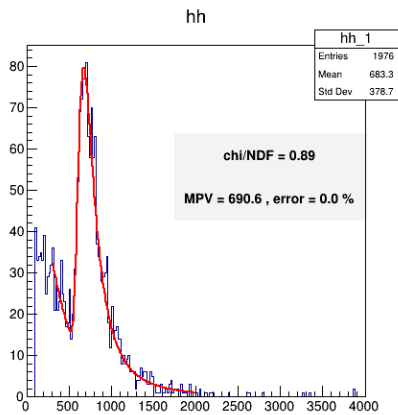
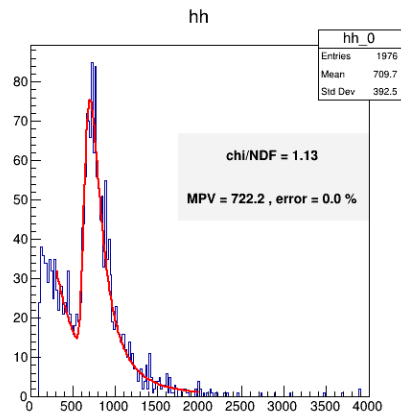
Gain adjustment

- Gain of I, J, O, R, Q bars are set to about 700.

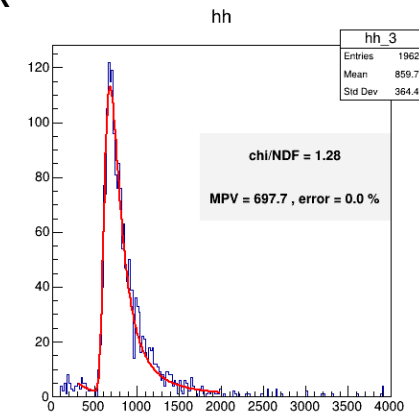
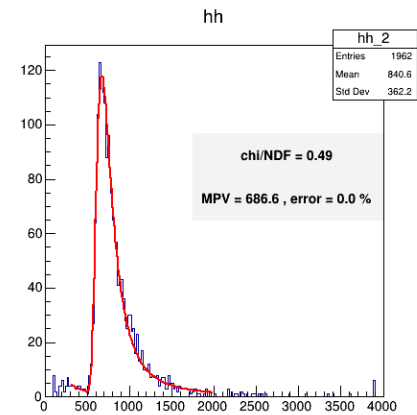
Bar	L HV	R HV
I	1460	1515
J	1520	1437
O	1475	1413
R	1510	1460
Q	1475	1413

O, R, Q Gain

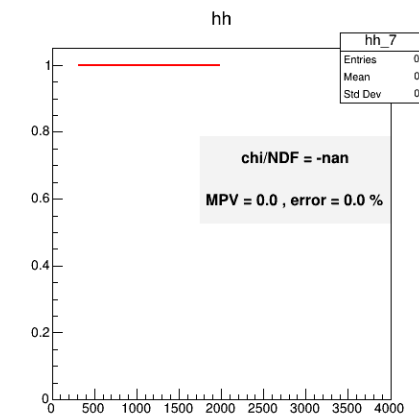
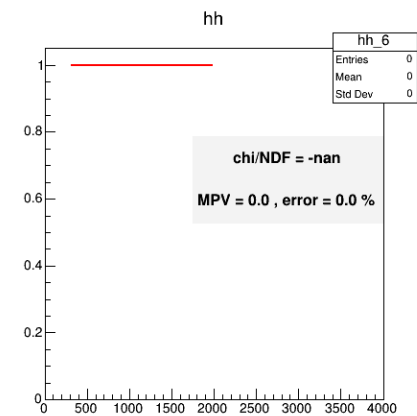
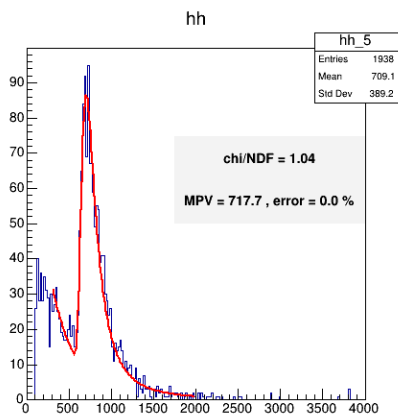
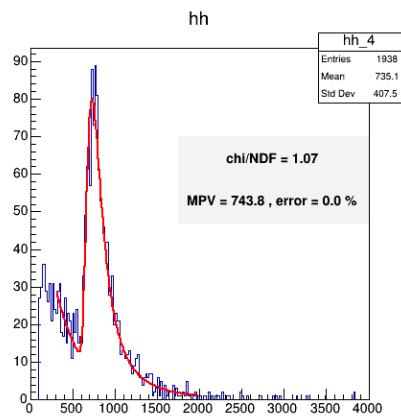
O



R

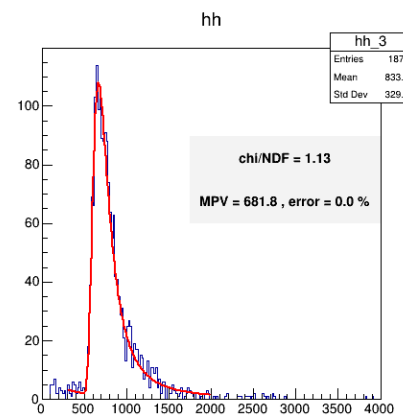
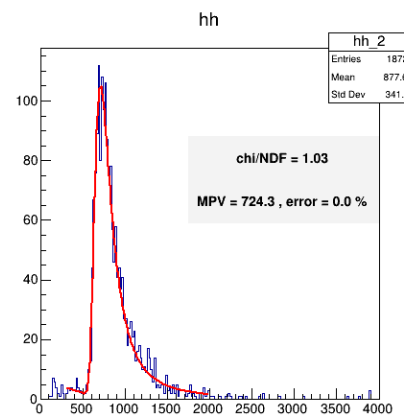
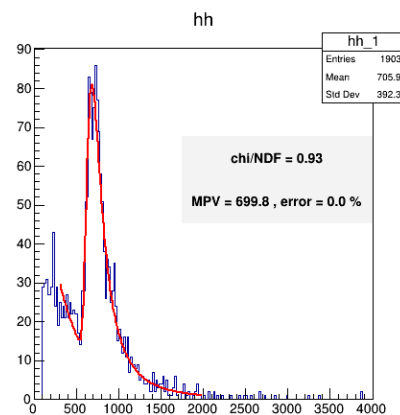
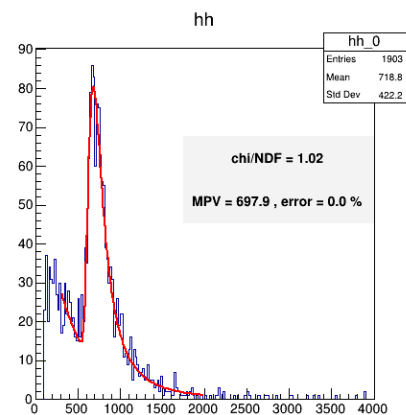


Q

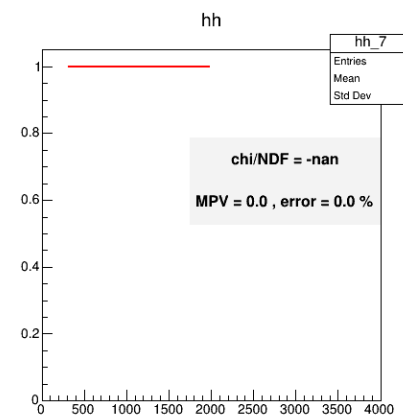
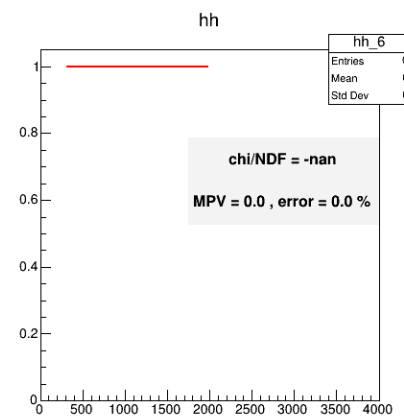
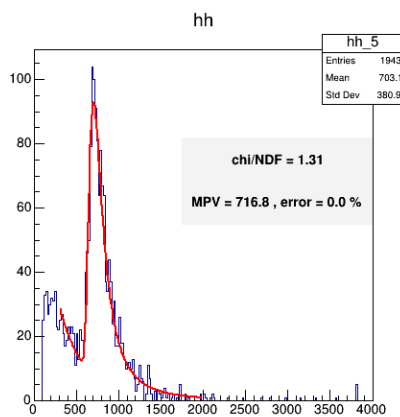
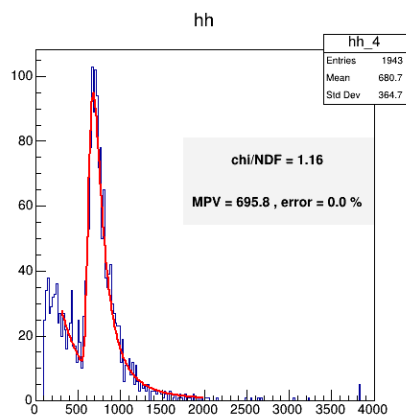


Q, J, I Gain

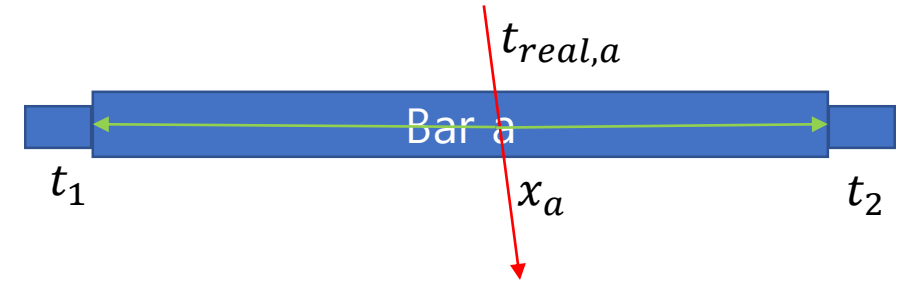
Q



I



About Timing Calibration



- $t_1 = t_{real,a} + \frac{x_a}{v_a} + \Delta t_1$ where $\Delta t_1 = \Delta t_{cable} + \Delta t_{electronics} + \Delta t_{PMT}$
- $t_2 = t_{real,a} + \frac{L-x_a}{v_a} + \Delta t_2$
- $t_{real,a} = \frac{t_1+t_2}{2} - \frac{\Delta t_1}{2} - \frac{\Delta t_2}{2} - \frac{L}{v_a}$
- Similarly, $t_{real,b} = \frac{t_3+t_4}{2} - \frac{\Delta t_3}{2} - \frac{\Delta t_4}{2} - \frac{L}{v_b}$

About Timing Calibration

- Assume that relative electronic time shifts about a certain channel are always same even though the configuration of bars are changed.
- If one sets Δt_1 as an offset and represent other Δt_i s in terms of Δt_1 , dt between bars can be presented as follows :
- $$t_{real.a} - t_{real.b} = \left(\frac{t_1+t_2}{2} - \frac{\Delta t_1}{2} - \frac{\Delta t_1+s_2}{2} - \frac{L}{v_a} \right) - \left(\frac{t_3+t_4}{2} - \frac{\Delta t_1+s_3}{2} - \frac{\Delta t_1+s_4}{2} - \frac{L}{v_b} \right)$$
$$= \frac{t_1+t_2}{2} - \frac{t_3+t_4}{2} + \frac{L}{v_a} + \frac{L}{v_b} - \frac{s_2-s_3-s_4}{2}$$
- No dependence on the offset

About Timing Calibration

- To obtain s_i
- 1st idea : Using function generator
 - > cannot apply PMT to calibration
- 2nd idea : set bar arrays as follows and use dt between LR PMTs and real dt between bars
 - > Even if we use speed of light, there would be O(1ps) error.

$$(10\text{cm}/c) = 333.6 \text{ ps ,}$$

$$(10\text{cm}/0.99c) = 336.9 \text{ ps}$$

