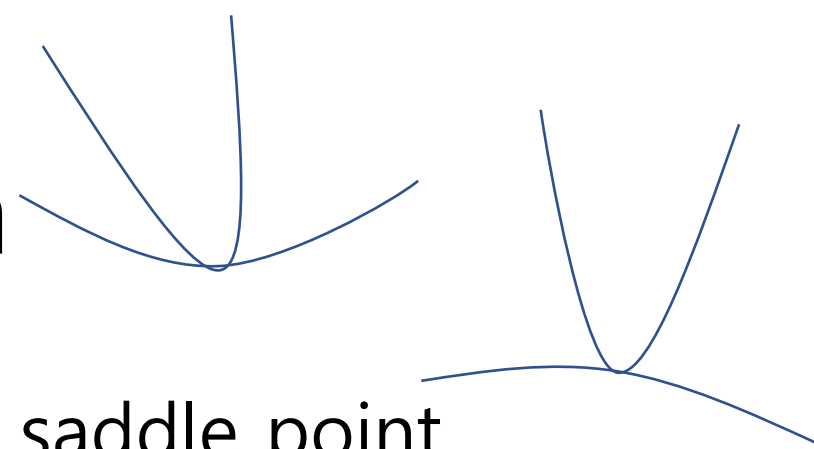


The problem of local optima



- Almost local optima in high dimension is a saddle point.
- But such bad optima can escape if the network is big enough.
- The problem of plateaus
- Derivative is almost zero.
- Learning speed decreases.
- Adam, RMSProp -> Change the direction



Tensorflow

- Example
- $J(w) = w^2 - 10w + 25$
- Finding minimum $w = 5$ from tensorflow
- Similar technic can be applied to real problem.

Tensorflow example

- `w = tf.Variable(0,dtype=tf.float32)`
- `cost = tf.add(tf.add(w**2,tf.multiply(-10,w)),25)`
- `train = tf.train.GradientDescentOptimizer(0.01).minimize(Cost)`

- `init = tf.global_variables_initializer()`
- `session = tf.Session()`
- `session.run(init)`
- `session.run(w)`

Tensor flow example

- For i in range(1000):
 session.run(train)
print(session.run(w))

Result : 4.99999

Tensorflow

- Define only forward propagation then tensorflow will calculate back-prop automatically. (In add, multiply, square)
- Only define cost function.
- We can use operator overloading ($w^2 - 10w + 25$)

Tensorflow

- `coefficient = np.array([[1.],[-10.],[25.]])`
- `x = placeholder(tf.float(32),[3,1])` -> Give data later
- `cost = x[0][0]*w**2-x[1][0]*w+w[2][0]`
- `session.run(train, feed_dict=(x:coefficient))`
- Such a way, we can feed the training data.

Why ML Strategy?

- more data
 - more diverse training set
 - Train longer
 - Adam (better algorithms)
 - bigger network
 - smaller network
 - dropout
 - L2 regularization
 - Network architecture
-
- What is efficient ????

Orthogonalization

- One button -> Only one option
- One dimension change -> No change in other dimensions
- Chain of assumptions in ML
 - Tune to fit training set
 - > Bigger network, Adam(optimization algorithms)
 - Tune to fit development set
 - > Regularization, bigger training set
 - Tune to fit test set
 - > Bigger development set
 - Real world
 - > Change development set or cost function

Early training mix the orthogonalized dimensions.